SHOPPING FOR LOWER SALES TAX RATES*

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Abstract

Using comprehensive high-frequency state and local sales tax data we find that household spending responds strongly to changes in sales tax rates despite their complexity, including the fact that sales taxes are not observed in posted prices and are subject to a wide range of rates and exemptions. Households increase online and cross-border shopping and stock up on storable goods before taxes increase. Interestingly, households adjust spending similarly on both taxable and tax-exempt goods. We demonstrate that this seemingly irrational behavior is optimal in the presence of shopping complementarities and provide independent evidence in favor of this new mechanism. While our results demonstrate that salience of sales tax changes is high on average, we also show that upcoming tax changes that are more salient prompt larger responses.

JEL Classification: D12, H31, E21

Keywords: shopping complementarity, sales tax salience, consumer spending

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Most economic analysis rests on the assumption that individuals optimize fully in the presence of limited resources. Increasingly however, research investigates deviations from this paradigm, allowing individuals to make systematic mistakes and to pay limited attention to relevant information or to entire choice dimensions.\(^1\) These deviations could be especially large in the context of public finance where taxes are often complicated and non-transparent. A range of research has found empirical evidence of these deviations from fully rational behavior in responding to a large number of taxes and fees, and recent theoretical work has started to incorporate tax non-salience into models of optimal taxation.\(^2\)

This paper focuses on sales taxes in the U.S., which are particularly complex and hence provide a powerful setting for detecting such deviations from full optimization. The complexity of U.S. sales taxation stems from three main sources. First, taxes are typically not included in the posted prices and are only applied at checkout, making it difficult for consumers to take sales taxes into account when choosing different products in store.\(^3\) Second, some goods are exempt from taxation, with different states (and some locations) applying different exemption rules. Third, due to strong fiscal federalism in the U.S., a wide range of overlapping tax jurisdictions can impose their own sales taxes (state, county, city, and special districts), leading to a large range of tax rates across geographic locations. Moreover, lower-level jurisdictions often override higher-level rates. Given that sales taxes are the largest source of state and local tax revenue, with a total revenue of $500 billion in 2013, understanding how households respond to potentially non-salient changes in sales tax rates has important implications for both welfare and local government revenue generation. Recent research on the effect of tax (non)salience has therefore taken a particular interest in sales taxes.

We use the most detailed set of high-frequency state and local sales tax data available for the U.S. alongside household-level retail scanner data to test whether, and along which dimensions, consumers respond to these tax changes. We find that spending responds strongly to changes in sales tax rates but that spending on tax-exempt goods responds similarly to that of taxable goods. We show that this seemingly irrational behavior is fully

\(^1\)Recent advances in modeling inattention and salience include Sims (2003), Gabaix and Laibson (2006), Chetty, Looney and Kroft (2009), Woodford (2012), Bordalo, Gennaioli and Shleifer (2013), Kőszegi and Szeidl (2013), and Caplin and Dean (2015).


\(^3\)Exceptions include excise taxes on goods like alcohol or gasoline, which are included in posted prices.
consistent with rational forward-looking consumers in the presence of complementarities in ‘shopping costs’ across taxable and tax-exempt goods. Consumers can reduce the need for future shopping trips in the short run by also stocking up on tax-exempt goods while shopping for taxable goods when tax rates are still low. We show that a standard life-cycle consumption model augmented with shopping complementarities across storable goods can quantitatively closely replicate the observed spending patterns of both taxable and tax-exempt goods.

We test this new mechanism along several dimensions, taking advantage of the detailed information on consumers and retailer locations. First, we directly test whether consumers cut down on shopping trips in the near future after stocking up on inventory in the month before a sales tax increase. We find that the number of store visits indeed decreases in the month after a sales tax increase, evidence of so-called multi-purpose shopping trips where consumers frequent multiple stores on the same trip thereby spreading the fixed cost of a trip over several store visits. Second, we exploit heterogeneity in “revealed costs” of shopping across consumers, reflected in the consumer’s average shopping frequency in the sample. Consumers that shop frequently in the absence of a tax change reveal that they face lower shopping costs than infrequent shoppers. Consistent with shopping cost complementarities, we find that infrequent shoppers indeed stock up more on tax-exempt goods than frequent shoppers who benefit less from such behavior. Third, we implement a form of a placebo test by looking at the relative response of taxable and tax-exempt online spending. Shopping complementarities should be absent or minimal when shopping online. We find that the responses of taxable and tax-exempt goods to a sales tax increase indeed differ substantially: Online shopping for taxable goods significantly increases while online spending on tax-exempt good does not, consistent with the absence of shopping trip complementarities when shopping online.

Although some previous literature is supportive of the non-salience of sales taxes, we show that on average sales tax rate changes prompt large spending responses in the short-run. Using two strategies, we provide additional evidence of the salience of sales tax rate changes. First, we document several mechanisms that consumers exploit to avoid or mitigate the effect of the sales tax increases, all of which require taxes to be at least partially salient and for consumers to be forward-looking and optimizing. For instance, consumers bring spending forward to the months before a sales tax increase and more so for storable and durable goods. Consumers also engage in strategies that go beyond intertemporal substitution. Consumers that have the opportunity to shop across sales tax boundaries increasingly do so following a tax increase, and households also increase their online shopping. Second, we provide direct evidence of tax salience by estimating
the dynamic response of Google searches containing the term "sales tax" by users in the affected tax jurisdictions around a sales tax change. We find a significant surge in Google searches in the months prior to sales tax change that lasts a few months after the change, showing that consumers are actively acquiring relevant information before the change occurs. The response of Google searches also suggests that higher levels of attention are paid to sales taxes around the dates of the change.

While we find that salience of, and responses to, sales tax changes are high on average, we also find significant support for the importance of sales tax salience in governing the magnitude of household spending responses. We find that tax changes that receive relatively more newspaper coverage elicit larger responses (controlling for the size of the tax change). Similarly, spending responses are larger for changes in sales taxes that are driven by (highly-advertised) ballot propositions compared to legislated tax changes that are directly implemented by the state legislature.

This study therefore provides significant evidence that households generally respond rationally to changes in sales tax rates. Changes in sales tax rates seem to be highly salient, on average, and two realistic extensions of the standard life-cycle consumption model, storability and shopping trip complementarities, go a long way in explaining the observed household response to sales tax changes. In particular, these extensions can fully explain the seemingly irrational response of tax-exempt spending.

This paper also highlights a methodological issue. Shopping complementarities (or the non-salience of the treatment for the treated for that matter) affect the choice of empirical research design. In our case, using apparently unaffected tax-exempt goods as a control group in a difference-in-difference research design would result in a substantial downward bias in our estimates that would completely mask the large responses to the sale tax changes. To deal with this issue, we instead take advantage of the high-frequency spending data and the predictive power of the model for short-run spending behavior around a sales tax change under the hypothesis of tax salience. Hence, our study highlights the fact that a difference-in-difference approach is not model-free, and its failure in this case is not due to general-equilibrium effects but holds even in partial equilibrium using within-household spending variation.

Related literature: This study touches on several strands of literature. It most directly relates to a recent surge in behavioral public finance research that studies the non-salience of tax rates and attributes, and studies the implications for optimal taxation. Empirical studies on this topic include the seminal contributions by Chetty et al. (2009), who find that households do not incorporate sales taxes into purchasing decisions and do not
respond to changes in sales tax rates, and Finkelstein (2009), who finds that how EZ tolls are paid, via transponder or via cash, affects driving behavior. Ott and Andrus (2000) is an early study of the effect of tax salience, demonstrating that consumers do not fully incorporate non-posted vehicle personal property taxes when purchasing automobiles. Cabral and Hoxby (2011) and Hayashi (2014) both find a differential household response to property taxes depending on whether the tax is paid separately or bundled with mortgage payments. Gallagher and Muehlegger (2011) report evidence for differences in household responses to equal-sized sales tax and income tax credits when purchasing hybrid automobiles. Chen et al. (2014) find evidence for low salience of sales taxes in an experimental setting with consumers making decisions about food consumption.

Recent theoretical work reviews the implications of non-salient tax attributes and rates for the theory of optimal taxation, extending the classic Ramsey, Pigou, and Mirrlees results—which are based fully optimizing agents—to settings that allow for “behavioral” agents who deviate from full optimization. See, for example, Goldin (2014), Farhi and Gabaix (2015) and Taubinsky and Rees-Jones (2015).

We also relate to the literature on the elasticities of intertemporal substitution of consumption and spending. However, our paper focuses heavily on the intertemporal substitution of spending rather than that of consumption. While some consumption changes surrounding these post-tax price changes are to be expected, the majority of the response that we observe is for durable and storable goods. This finding mirrors those of Cashin (2014), Cashin (2015), and D’Acunto, Hoang and Weber (2016), who examine pre-announced VAT changes in New Zealand, Japan, and Germany.

Other work by Mian and Sufi (2000) and Green, Melzer, Parker, Pfirrmann-Powell and Odegaard (2016) finds this effect on durables present in the United States when examining the impact of temporary monetary incentives to purchase new automobiles. Our work extends this research to a setting where the post-tax price is generally unobserved at the point of product selection and demonstrates a new extension, shopping complementarities, to household purchasing behavior that has strong implications for the estimation of elasticities of demand in the face of widespread price changes.

The rest of the paper is organized as follows. Section 1 describes the various data utilized in the paper. Section 2 estimates the response of taxable household spending to a pre-announced sales tax increase and provides a comprehensive study of the various mechanisms employed by consumers to avoid or mitigate those tax increases. We provide more direct evidence of tax salience captured by changes in Google searches for the term “sales tax.” This section also investigates the heterogeneity in spending responses as a function of tax salience, using newspaper coverage data and ballot initiatives. Section 3 es-
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estimates the response of tax-exempt spending to a sales tax increase and provides evidence of shopping complementarities. Section 4 extends the standard life-cycle consumption model to include shopping complementarity and storable-good inventories, and calibrates it to match empirical moments derived in Sections 2 and 3. Section 5 concludes.

1 Data

We utilize a number of datasets to examine how sales taxes affect consumer spending.

1.1 Sales Tax Data

For data on local sales tax rates, we turn to Thomson Reuters OneSource sales tax service. This source allows us to construct a database of ZIP code level sales tax rates at a monthly frequency from 2008 to 2014 that covers the entirety of the United States. The data contain comprehensive information on all sales taxes imposed in a given ZIP code stemming from the state, county, city, and from special tax rate districts that the ZIP code is located in, such as school or water districts, police jurisdiction, etc. Moreover, there is information on the combined sales tax in a ZIP code, which may differ from the sum of all of the aforementioned sales tax rates due to statutory maximum sales taxes imposed at a state level (e.g. state sales tax is 4% and the state imposes a maximum total local sales tax rate of 5%) or the fact that a lower-level tax jurisdiction such as a city overrides the sales tax rate of a higher-level jurisdiction, such as state sales tax rate. Our final sample includes over 41,000 ZIP codes from the 50 states and Washington DC.

Table 1 provides summary statistics regarding all state and local tax changes. Overall, sales tax changes in our sample period are highly asymmetrical. Over 80% of total observed changes in sales tax rates are positive, with average total sales taxes increasing from about 6.4% in 2008 to 6.9% in 2014. Restricting to changes in state sales taxes, we find that 70% of changes are positive, with state sales taxes increasing from 5% to 5.5% on average over the decade to 2014.

State sales taxes generally make up the majority of total sales taxes in a given ZIP code. We therefore augment our sample with hand-collected state level changes in sales tax rates from 2004-2008 to match the sample period of the retail scanner data described below. State level changes also tend to be larger than local sales tax changes. For instance, the 25th and 75th percentiles of state level changes are 0.25% and 1%, while for all other local sales tax changes, they are 0.1% and 0.5%. Local changes are driven overwhelmingly by changes in city and county level taxes, while other sales taxes covering metro areas, water districts, school districts, or other geographic groupings play a much smaller role.
1.2 Retail Spending Data

Retail spending data is obtained from the Nielsen Consumer Panel Database at the Kilts Center (NCP, formerly the Homescan Consumer Panel). The NCP consists of a long-run panel of American households in 52 metropolitan areas from 2004 to 2014. The NPC aimed at measuring household demographic characteristics, household income, and spending on retail goods. Using bar-code scanners and diary entries, participants are asked to report all spending on household goods following each shopping trip. Monetary prizes and other drawings are utilized to incentivize higher levels of engagement.

The NCP is constructed to be a representative sample of the US population. Demographic survey information about participants is obtained when they join the panel as well as each year thereafter. Nielsen attempts to maintain a high quality of data with regular reminders to participant households that prompt them to report fully, and will remove non compliant households from their panel.\footnote{Approximately 80\% of households are retained from year to year.} \textcite{Broda:2010} provide a more detailed description of the NCP.

Overall, there are more than 150,000 households in our sample. We choose to exclude households that change ZIP codes at any point in their time. This exclusion is done because we generally cannot tell the exact month of a move, so any change in sales taxes that accompany such a move may generate a spurious relationship with observed retail spending. Following this exclusions, over 135,000 households remain, yielding over 6 million household-month observations.

Given the nature of the data collection, Table 2 shows that the spending captured in the NCP consists primarily of trips to grocery stores, drugstores and pharmacies, as well as other mass-merchandise retailers. The types of goods purchased span groceries and drug products, small electronics and appliances, small home furnishings and garden equipment, kitchenware, and some soft goods.

In order to categorize individual products into exempt or non-exempt goods, we first categorize products into one of several broad categories. We assign goods to one of the following categories: groceries, clothing, prepared food, medication, beer, liquor, wine, cigarettes, and non-exempt goods. We choose these categories to cover the range of categories that are treated differently on a state-by-state basis when it comes to determining whether a product is exempt from the sales tax. Groceries, for example, are almost always exempt from any state or local sales tax. However, the treatment of clothing or prepared food differs by state. Our categorization is done at the Product Group level, as defined by the Nielsen Consumer Panel. There are 119 total Product Groups in the Nielsen data that we then assign to these 9 categories. For instance, “Crackers”, “Dough Products”, “Fresh
Meat” and “Fresh Produce” would be Product Groups categorized as ‘grocery’ purchases. “Prepared Food Ready to Serve” is assigned to the ‘prepared food’ category, while “Soft Goods” are treated as ‘clothing’. A wide range of goods such as “Automotive” products, “Hardware and Tools”, and “Toys and Sporting Goods” are categorized as ‘non-exempt’.

The NCP tracks a sizable amount of a household’s spending on material goods. On average, we observe over $350 of spending per month for each household. About half of this spending is on goods formally exempt from sales taxes while half is subject to sales taxes.

1.3 Tax Salience Measures

To obtain direct measures of tax salience we use newspaper article counts, Google searches and tax changes triggered by ballots propositions.

**Newspaper Article Counts:** First, we employ data from the Access World News Newsbank database to measure news coverage of sales taxes at both a state and local level.\(^5\) We query a set of over 3000 national, state, and local US newspapers at a monthly frequency from 2008 to 2016. Our query obtains the number of articles for each month and location that mention the term ‘sales tax’ or ‘sales taxes’. We exclude classified ads and restrict our search to newspapers rather than newswires or magazines. Raw counts of articles may give a misleading measure of news coverage of sales taxes given changes in the number of newspapers at any given time. To better gauge relative news coverage, we normalize each monthly value by the total number of newspaper articles written in that month and location.

We conduct searches at two levels of geographic aggregation. The first is at a state level (including Washington DC). The second is at a city level, where we attribute newspapers to cities based on Access World News’ categorization. Given that both our sales tax and retail spending data are at a ZIP code level, we match states and cities to ZIP codes using the city-state-ZIP matches in the Thomson Reuters sales tax data. This method yields a good match, with only 77 out of 1468 cities with newspapers being unable to be matched to ZIP codes in our sample.

**Google Search:** Second, we use Google search data obtained from Google Trends from 2004 to 2016 to study the search behavior of consumers around sales tax changes. Google Trends is a Google application that gives a time series of the relative amount of local search activity for specific search terms on Google.com.\(^6\) The values of Google Trends


represent the number of searches on Google.com for the specified search term relative to the total number of searches on Google.com derived from a sample of all Google search data. Google Trends is normalized so that the highest value for the entire time period and term is set equal to 100. Its range of values is always between 0 and 100, where higher values correspond to higher ratios of total searches on Google.com for a given search term.

A potential concern, discussed in detail by Stephens-Davidowitz (2013), is that Google Trends imposes thresholds for reporting search data below which it imputes a zero value. For instance, too few searches were done for the search term ‘econometrics’ in July 2006 in Texas. Therefore, Google Trends displays a 0 rather than a low number, producing large swings in the time series data. For the term ‘sales tax’, there are a large number of zeroes between 2008 and 2010 in smaller states. We treat these values as missing data rather than true zeroes, due to the censoring that Google employs. In the years after 2010, there are only a few zeroes per year. Our results are robust to excluding all data from the years prior to 2011.

State Ballot Propositions: Third, using Ballotpedia.com we identify state ballot propositions that involve changes in state sales taxes. These data include propositions in Arizona, Arkansas, California, Colorado, Georgia, Maine, Massachusetts, Michigan, Minnesota, Missouri, South Dakota, and Washington from 2004 to 2015. In total, we observe 20 propositions with potential effects ranging from a decline in sales taxes of 3.25% to an increase in sales taxes of 1%. 10 of the 20 propositions were successful, 9 were unsuccessful, and one was partially successful (took effect in a subset of state counties). 9 of the 20 propositions took place in November with the remaining propositions spread across February, May, June, and August.

2 Response of Taxable Spending to Sales Tax Changes

Our primary methodology is a difference-in-differences approach. For most of our examination of the impact of changes in sales tax rates, we look at monthly changes in spending at a household level. By construction, the control groups are those households who did not experience a change in the sales tax rate that they face in that month. For most regressions, both period and household-level fixed effects are incorporated, thus controlling for seasonal effects, macro effects, and allowing for household-level trends over time.
2.1 Taxable Retail Spending Response to a Sales Tax Increase

Table 3 shows how retail sales of goods subject to sales taxes, as measured by the Nielsen Consumer Panel, change following a change in the sales tax rate. We test the response of taxable goods to changes in total and state sales taxes, respectively, using a difference-in-differences approach,

\[
\Delta \ln(x_{\tau ht}) = \beta \Delta \tau_{ht} + \gamma_h + \eta_t + \lambda^t z_{ht} + \epsilon_{ht}. \tag{1}
\]

\(\Delta \ln(x_{\tau ht})\) is the log-change in taxable expenditures by household \(h\) in month \(t\), and \(\Delta \tau_{ht}\) is the change in the sales tax rate in that month in the corresponding ZIP code, respectively in the corresponding state in Column 2. \(\gamma_h\) are household fixed effects and \(\eta_t\) are period fixed effects (year and month indicators). \(z_{ht}\) are additional time-varying co-variates at the level of the household or tax jurisdiction used in columns 3 to 8. We restrict the main analysis to tax increases both because the vast majority of tax changes in our sample period are tax increases, and because the model below featuring storable and durable goods implies an asymmetric response to sales tax changes. Stocking up before a sales tax increase is easier and more likely synchronized across household in the month before the tax increase compared to letting inventories of storable and durable goods deplete in anticipation of a sales tax decrease. We analyze the robustness of our results to including all tax changes, including tax decreases, in Column 8 below.

Column 1 shows that following an increase in combined total sales tax rate of one percentage point (e.g., from 3\% to 4\%), taxable household retail spending decreases by 1.9\%. This change in spending is measured in the month that the tax change occurs in relative to the moth prior to the tax change. Column 2 restricts the analysis to state sales tax increases, which allows us to extend the analysis back to 2004, the start of the Nielsen Consumer Panel. The sales tax elasticity of taxable expenditures is almost identical to the one estimated using total sales tax changes in Column 1, although it is estimated with less precision due to the fewer tax changes (despite the longer sample period). Column 3 shows that controlling non-parametrically for time-varying household characteristics like income and family composition has little impact on the size of the sales tax elasticity of taxable spending. Column 4 adds in local and state unemployment rates to control for local business cycle conditions. We see little change in the coefficient of interest following the addition of these controls. Similarly, dropping the months from January 2008 to June 2009 that were part of the Great Recession according to the NBER...
recession dating committee also sees little change in the estimates, as seen in Column 5. Column 6 employs an IV specification, instrumenting for changes in local sales taxes with changes in state sales taxes to better deal with measurement error. Again, we find similar relationships between changes in taxes and taxable retail spending. In Column 7 we utilize only within-state variation in sales taxes, including highly granular state-year and state-month fixed effects, and find that the magnitudes of our estimates remain virtually unchanged. Finally, Column 8 shows that the main results are robust to extending the analysis to include all tax changes, including tax decreases.

Overall, Table 3 shows that households strongly respond to changes in sales tax rates, which indicates that consumers are on average well aware of the changes. We test that these results are robust to a number of alternative specifications and additional control variables, which we summarize here but do not report to save space. Looking at dollars of spending rather than logged spending yields similar results. Results are also change little when examining changes in quantities of goods purchased rather than changes in spending, reflecting the fact that prices and purchase ‘quality’ are little changed (see Table 9 and Section ?? below).

2.2 Inspecting the Mechanism: Sales Tax Avoidance Strategies

In this section we inspect various mechanisms that might drive this large response, all of which require taxes to be at least partially salient and consumers to be forward-looking and optimizing. We then provide further direct evidence of sales tax salience using Google Searches and newspaper coverage of sales tax changes, and we study how tax changes that are presumably more salient to the consumer—either because they received more newspaper coverage or because they were initiated by a ballot proposition instead of being directly legislated—change the sensitivity of the spending response.

2.2.1 Jurisdictional Tax Arbitrage: ‘Cross-Border’ Shopping

One way to avoid paying more sales taxes is by engaging in cross-border shopping, taking advantage of lower rates in neighboring tax jurisdictions. To analyze this mechanism, we leverage one benefit of the Nielsen Consumer Panel, its ability to observe details of the shopping trips that households took including the type and location of a retailer. The NCP identifies stores by their three-digit ZIP code. In conjunction with the location of the household, this allows us to determine what fraction of household spending was conducted in an ‘alternate’ three-digit ZIP code (outside one’s ‘home’ three-digit ZIP code).

Column 1 of Table 4 tests whether this ratio responds to changes in local sales taxes,
finding no significant effect. However, it is generally difficult for most households to switch to shopping in a different three digit ZIP code given that the average three-digit ZIP code spans over 1,000 square miles. So, we might expect that households who are already able to conduct such shopping trips (e.g., those who might live or commute near a state or three-digit ZIP code boundary) might be more sensitive along this margin. In order to test this, we run the following specification

$$\Delta Fraction_{ZIP_{ht}} = \beta \Delta \tau_{ht} + \delta \Delta \tau_{ht} \times \overline{Fraction}_{ZIP_{h}} + \gamma_h + \eta_t + \epsilon_{ht}.$$  

(2)

$Fraction_{ZIP_{ht}}$ is the fraction of household $h$’s total spending that is an alternative three-digit ZIP code outside its own home ZIP code (i.e., residential five-digit ZIP code), and $\overline{Fraction}_{ZIP_{h}}$ is the average over all household-months. Column 2 shows precisely this mechanism, a significant increase in alternate-ZIP spending for households who had already been conducting some of their shopping in alternative three-digit ZIP codes. This signals that, for households who could conceivably substitute spending into a different three-digit ZIP code, an increase in the sales tax made them shift additional spending to that ZIP code.

An important note about substitution across jurisdictions is that this pattern of behavior is evidence for strong impacts of sales tax changes on spending behavior, actual household consumption is affected to a much smaller degree. A recent study by Davis, Knoepfle, Sun and Yannelis (2016) also looks at the geographical substitution patterns surrounding sales taxes. They use credit card spending data to examine how ZIP code level spending is impacted by changes in sales taxes on both sides of the border of the tax jurisdiction, finding an elasticity of approximately 4.2 in ZIP codes that are located on state borders. Our results here align with their own. They also note persistent substitution to online retailers following sales tax increases.

### 2.2.2 Online Shopping

Another potential way for households to avoid increases in sales taxes is to shop online. Online retailers are generally not required to collect sales taxes for sales to purchasers if the retailer does not maintain a physical presence in the same state as the purchaser. During our sample period, a majority of online purchases were done without purchasers paying sales tax. Instead, households are required to pay a ‘use tax’ to their home state when completing their annual taxes. However, compliance with the use tax is estimated to be extremely low. For instance, only 0.3% of California tax returns reported any use tax related purchases in 2009. Because of this, households may shift purchases online...
where possible when local sales taxes increase.

Fortunately, the Nielsen Consumer Panel data categorizes purchases made from online merchants separately from brick-and-mortar retailers. In Column 3 of Table 4, we separately examine the impact of changes in sales taxes on these online purchases. We find that household shift spending online in the month following a sales tax increase. These coefficients suggest that online spending in an affected household increases 1.6% following an increase in the sales tax rate of 1%.

Our estimates are consistent with recent estimates of the effect of taxation on online commerce. For instance, using state sales tax rate changes and purchase data from eBay, Einav, Knoepfler, Levin and Sundaresan (2014) find an online-offline substitution elasticity of 1.8, which is in line with our estimate of 1.6. Similarly, Baugh, Ben-David and Park (2015) estimate a tax elasticity of online purchases of -1.1 using Amazon’s staggered introduction of sales tax collection across different states in different months. This estimate is consistent with the ones reported above given that their experiment is a relative increase in the taxation of online purchases, while the previous experiments are relative decreases in the taxation of online purchases, i.e., an increase in the taxation of purchases brick-and-mortar stores.

2.2.3 Intertemporal Substitution

Since sales taxes are almost always announced significantly in advance, we might expect that changes in household behavior precede the effective date of the sales tax change if households are forward-looking and sales tax rate changes are salient. To test this prediction, we estimate a dynamic version of Equation 1 including leads and lags of the sales tax rate changes.

Figure 3 plots the patterns of spending in the three months prior to and the five months following any change in state level sales taxes and is scaled to reflect a 1% increase in sales taxes. We find elevated (depressed) levels of spending in the period preceding a sales tax increase (decrease) that quickly disappear once the change takes effect. For a sales tax increase of 1%, we see a dramatic fall in spending from the one month prior to the change to the month of the change, equivalent to a decline in spending of about 2.5%, similar to the more static responses reported in Table 3.

While this decline is steeper for taxable goods, exempt goods see a similar build-up prior to the tax increase and undergo a similar fall in the months afterwards. Importantly, we find that any significant deviation of levels of spending from their long-run averages

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8We also find positive effects when looking at the fraction of spending done online rather than the change in dollar amounts.
tends to disappear after only a few months. That is, the short term response of household spending is significantly different than, and greater than, any long term response.

**Storability and Intertemporal Substitution:** We note that a large component of the change in retail sales in response to changes in sales taxes comes from intertemporal substitution within the household. When faced with an imminent sales tax increase, households bring forward purchases and spending to the lower-taxed period. Given this revealed desire to shift spending forwards in time, we would expect to see this substitution manifest itself to a larger degree for goods that are more durable and more storable. That is, it would not be feasible to purchase a several-month supply of milk given that it would go bad before it could all be used.

To examine whether this pattern holds true empirically, we must first categorize all products in the Nielsen Consumer Panel data by their durability and storability. We do so in two ways.

First, we manually categorize the 119 product groups contained in the Nielsen data. We construct three broad bins from this data, non-durable, semi-durable, and durable. These measures are meant to both capture how durable but also how storable a product is. For instance, a product like laundry detergent is not durable in the sense that it is consumed after use. However, it is highly storable and can be purchased well in advance of the use date.

Second, we categorize each product group with a continuous measure of how frequently products in a given group were purchased. For instance, milk, purchased weekly by an average household, would have a value of approximately $\frac{1}{4}$ (4 average purchases per month), while light bulbs may have a value of greater than 2 (purchased less than once every two months). This is calculated first at a household level and then averaged across all households in the sample.
Shopping Cycle, = \frac{1}{HH} \sum_{h=1}^{\text{sample months}_h} \frac{\sum_{j=1}^{I} \{Trip_{ij}\}}{\text{num}_HH}

Where \( T_{ij} \) denotes whether Trip \( i \) is one in which a purchase of good \( j \) occurs. \text{sample months}_h\) measures the total number of months a given household is in the sample and num\_HH represents the total number of households in the overall sample.

This measure corresponds fairly well with our hand-coded categorization, with durable or storable goods, on average, having significantly lower purchases per month than non-durable or non-storable goods. In the durable category, the average purchases per month of a given product group is 0.38, for semi-durables, it is 0.8, and for non-durables, the average number of purchases per month is 1.5.

We first conduct our analysis of heterogeneous behavior across categories of goods at a state-month level. This minimizes problems that arise from individual households having large numbers of zeroes for their monthly spending on particular fine categories. Table 5 shows results from these regressions.

In Column 1, we show the baseline spending response to a change in sales taxes. On average, across categories, we see a decline in spending of approximately 2.3% in the month of a sales tax increase of 1%. This state-level estimate corresponds well with our individual household-level responses of approximately 2%. Column 2 we interact the change in sales tax with our product group level data on inverted logged purchase frequency. We find that products purchased more frequently tend to be less affected by a change in sales taxes while infrequently purchased products see a larger than average response in the month of the tax change. Column 3 uses the simple indicator for durability as an interaction variable (see Equation 4). Here we find a negative point estimate but it is not statistically different than zero.

\[
\Delta \ln(x_{pt}) = \beta \Delta \tau_{pt} + \beta \Delta \tau_{pt} \times 1(\text{durable})_p + \gamma_{state} + \eta_t + \epsilon_{pt}
\]

Columns 4-6 include leads of changes in state level sales taxes. That is, for the month of each state sales tax change, we observe the response of spending for the month prior to the change as well as the month after. In Columns 5-6, we find that not only do more durable and more storeable products have larger declines in the month of a sales tax increase, but they see larger build-ups in the month prior to the increase. In fact, durable and storeable products are the only product categories that see any increase in spending.
in the month before a sales tax increase.

Cashin (2014) also finds that this pattern was seen around changes in the sales tax rate in New Zealand. Using data regarding three large changes in the national sales tax (Goods and Services Tax) rate, he finds strong evidence for intertemporal substitution among both durables and non-durables. However, the magnitude of the substitution from the month of the change to the month prior to the change is 3-5 times larger for durable goods than for non-durables.

2.3 Direct Evidence of Tax Salience

Figure 5 shows two metrics of attention to and salience of sales taxes in the months surrounding sales tax changes.

2.3.1 Evidence from Variation in Media Coverage

The top panel shows the evolution of the ratio of news articles that mention sales taxes in the 10 months before and after a change in sales tax rates. As noted in Section 1, this ratio is derived from over 3,000 national, state, and local US newspapers aggregated at state levels. We find a gradual increase in articles, with the article ratio being significantly higher than the baseline level starting approximately 6 months prior to the change. In the month before the change occurs, the ratio peaks at a ratio about 75% higher than the baseline.

This figure is scaled by the size of the change so larger sales tax changes tend to get more news coverage relative to smaller changes. Following the change, news about sales taxes quickly recedes to the baseline level, with the ratio being statistically indistinguishable from zero just one month following the change.

2.3.2 Evidence from Google Searches

The bottom panel of Figure 5 shows a similar specification but looking at changes in Google searches regarding sales taxes. As with the news-based measure, search peaks in the month before a change takes place, rising to over 130% of the baseline level of search. Google searches about sales taxes do not respond as far in advance of the change occurring, but have significantly elevated levels for a longer period of time than does the news-based measure. This may reflect a subset of households only realizing sales taxes may have changed over a longer period of time.
2.3.3 The Role of Tax Salience: Evidence from Ballot Initiative

In Table 6, we include two measures of salience and examine their impact on changes in household spending. The first is the aforementioned index of sales tax news coverage in the month prior to the change. Given that the size of the sales tax change strongly impacts the level of coverage, we first obtain the residuals from a regression of the amount of sales tax news coverage on the size of the change, the squared size of the change, and month and year fixed effects.

Given this approach, we interpret the resulting residuals as a measure of news coverage of the impending sales tax change that is unrelated to the size of the change (ideally driven by the amount of other important news in that period, editorial decisions, etc.). Here, the assumption is that the more that sales taxes are written about in local newspapers, the more likely it is that a given household will be aware of the upcoming change in sales taxes and that they will be in position to react to the change.

Columns 1-3 of Table 6 interact this news-based measure with changes in state sales taxes. We again find that, in general, sales tax changes have a negative relationship with spending. Moreover, while not always statistically significant, changes that had more news coverage (conditional on the size of the change) also had larger declines, and this effect of news coverage strengthened as the sales tax change got larger. The coefficient on the interaction term of Column 1 shows that an increase in news coverage of 1 percentage point (e.g., 1.5% of news articles mention sales taxes rather than 0.5%) would increase the response to a 1% sales tax by about 50% (from -1.6% to -2.4%).

Columns 4-6 take a different approach to testing heterogeneity in household responses across sales tax changes. Here we utilize data on state-level ballot measures that changed state sales tax levels. Our prior is that sales taxes enacted through state-wide ballots would garner more media attention than those enacted through a vote solely by their state representatives and also would force all voters to be at least somewhat aware of the initiative that they are voting on.

We find that changes in sales tax rates that were authorized by a state-wide ballot measure tended to produce much larger responses among households. In fact, for the modal state level change (a 1% increase in sales taxes), we find that having the change come via the ballot box rather than the legislature increases the response of total household spending by approximately 150% (i.e., from -1.5% to -4%).

Finally, Columns 7 and 8 demonstrate some evidence for an announcement effect of sales taxes. For most of the changes in our sample, we are unable to determine when exactly the sales tax change was finalized (often 3 months to 12 months prior to the change taking place). For ballot provisions, however, we can precisely measure this date,
allowing us to look for changes in household spending behavior prior to the change actually taking place. In a fully rational model, households would perceive this future tax increase as an (permanent) increase in future prices and adjust their spending downwards in the present.

Column 7 demonstrates that this effect seems to be true across all ballots (whether they passed or failed), with the act of voting on the ballot being associated with a 0.6% decline in household retail spending. However, we can also separate these ballots into those that failed and those that passed. Here we find opposite signed coefficients that are statistically different than each other. Judging the point estimates, we find a near zero effect on spending following a failed tax increase initiative, while we see a much larger decrease in spending following a successful tax increase vote. This again speaks to the rational response of households with a high degree of foresight.

3 Response of Tax-Exempt Spending

3.1 Exempt Spending and Shopping Complementarities

As seen in Figure 3, spending on exempt goods seems to respond to sales tax changes, as well. Table 7 reports this response in more detail, mirroring Table 3. We find a highly significant response of exempt spending to changes in both state and local sales taxes. This effect remains when instrumenting for local sales taxes with state sales taxes and when controlling for local business cycle conditions. Our estimates for tax-exempt goods are lower than for taxable goods, but both are significantly different than zero and are statistically indistinguishable from one another.

One deviation from the taxable spending responses that we estimated earlier is the positive sign on the state level unemployment rates. Unlike spending on taxable goods, we find that spending on exempt goods tends to increase when the unemployment rate increases. This is likely because tax-exempt goods are made up primarily of grocery items, which tend to receive additional spending at the expense of restaurant spending during downturns and falls in household income (see, for example, Baker and Yannelis (2015)). This effect may also be what drives the main coefficient further negative when we exclude NBER recession years in Column 5.

In theory, we might expect that the effect on exempt spending would be zero, but there are a few reasons why we might still see a negative elasticity even for goods that are unaffected by sales tax rate changes. For one, households may be unaware of the fact that some goods are exempt from sales taxes or may simply mis-attribute an exempt product to a non-exempt category. In practice, the laws defining which goods are exempt
and non-exempt are quite detailed and technical, so it would not be surprising to have a significantly level of this sort of error on the part of households.

A second reason we might not expect a zero relationship between sales tax rate changes and tax-exempt spending is that purchases are often highly correlated within trips, as described in Section 4. For instance, on a typical trip to a grocery store, a household may purchase both exempt and non-exempt goods (fresh produce, cookware, and a deli sandwich, for example). If households adjust purchasing responses to sales tax changes at a trip level, then we may expect that behavior of exempt and non-exempt goods would be correlated. Moreover, households with heterogeneous shopping costs would be predicted to have different spending responses for exempt goods.

Table 8 tests this hypothesis. In Columns 1 and 2, we directly test whether shopping trips themselves respond to changes in sales taxes or households simply purchase less per trip. We find strong evidence that the number of distinct trips (which may include visits to multiple stores) and the number of distinct store visits respond negatively to changes in sales tax rates. In particular, the number of trips falls by approximately the same magnitude as overall spending, suggesting that the trips adjustment margin is a dominant one.

Columns 3-6 investigate whether households with different ‘revealed shopping costs’ behave differently following a change in sales taxes. We first calculate the average number of shopping trips they make in a month for each household. We then assign the top 25% of households (with more than 19 trips per month) as ‘low-shopping-cost’ households and the bottom 25% of households (with fewer than 9 trips per month) as the ‘high-shopping-cost’ households. We propose that the average number of shopping trips a household takes per month correlates negatively with the total costs of the trip, including transportation costs, inventory costs, and time costs. The model we laid out in Section 4 predicts that households with lower costs of shopping trips would not feel the need to bundle purchases of exempt and taxable goods to the same extent as households with high costs of shopping trips.

In Columns 3-6, we find strong evidence that this is the case. The first two columns test changes in spending for exempt and taxable goods for households with low shopping costs following a sales tax increase. We find no impact on exempt spending, while taxable spending declines approximately 2%. In contrast, for households we deem to be high-cost shoppers, both exempt and taxable spending fall nearly identically, suggesting that these households bundle their purchases to minimize the number of shopping trips that they must undertake.

Columns 7 and 8 perform another test of the importance of shopping complementar-
ities in driving spending responses for exempt goods. When shopping online, there are fewer gains to bundling multiple purchases at once, since no transportation costs need be incurred across different websites and online purchases are often made of single goods rather than a cart full of goods. Just as with the low-cost shoppers, we find that, following an increase in sales taxes, spending on exempt goods from online merchants is unaffected, while spending on taxable goods changes significantly.

Overall, these results suggest that shopping complementarities play an important role in affecting the purchasing decisions of households. It also demonstrates the caution one must take when estimating price elasticities in a difference-in-differences framework, even in the absence of general equilibrium effects. Despite the fact that some goods’ prices are unaffected, demand for them may shift due to changes in shopping behavior. This is true in our setting with tax changes, but also may be true when stores put portions of their goods on sale, or an appreciable number of items at a store undergo a price change at the same time.

### 3.2 Price and Quantity Response

While the majority of the paper discusses household responses in terms of changes in dollars of retail spending, it is possible that this may portray an incomplete view of household behavior. If retailers adjust prices or households shift spending to different types of goods, we may have a different interpretation of how the pre-tax spending response relates to actual consumption.

Table 9 examines two other important margins. Columns 1-4 mirror the analysis done in Table 3 and 7 but using log-changes of quantities (items) purchased as the dependent variable rather than log-changes in spending. We find qualitatively similar effects, with declines in quantities mirroring the declines in spending following an increase in sales tax rates. This indicates that households are likely not simply substituting lower quality and lower priced goods to reduce pre-tax spending.

Columns 5-8 test another potential confounding margin of adjustment. If retailers fully offset sales taxes, we might observe a decline in spending with no actual decline in consumption. Using data on both retail and wholesale prices, which are described in Appendix A, we find that there is limited amounts of offsetting behavior on the part of firms. Retail prices decline by 0.15%-0.20% in the month following a 1% increase in sales tax rates, while wholesale prices remain unaffected. The non-response of the wholesale prices may be driven by the fact that wholesalers are less geographically concentrated and so do not price to local conditions to the extent that retailers do. Another reason may be that wholesale prices tend to be more stable and feature fewer short-term sales than
do retailers, leading to somewhat higher menu costs and a reduction in desire to change prices at high frequency.

4 Modelling the Spending Response to a Sales Tax Change

To guide our empirical analysis and to interpret our results we use a linear-homogeneous demand system for different types of potentially storable (or durable) goods as our benchmark model. The consumer’s problem is to

$$\max_{a_t, c_{i,t}, s_{i,t}} \sum_{t=0}^{\infty} e^{-\rho t} u(C_t) \quad \text{with} \quad u(C_t) = \frac{C_t^{1-1/\sigma}}{1 - 1/\sigma}$$

subject to

$$s_{i,t} = \delta_i s_{i,t-1} - c_{i,t} + x_{i,t}$$

$$a_t = e^r a_{t-1} + y - \sum_i p_{i,t} x_{i,t} - \theta(s_t)$$

$$a_{i,t}, c_{i,t}, s_{i,t} \geq 0$$

with CES aggregator

$$C_t = \left( \sum_i b_i c_{i,t}^{\epsilon_i} \right)^{\frac{1}{\epsilon}}$$

and ideal utility-based cost-of-living index

$$P_t = \left( \sum_i b_i p_{i,t}^{1-\epsilon} \right)^{\frac{1}{1-\epsilon}}$$

which is the minimum expenditure necessary to obtain one unit of the composite good $C_t$. Therefore, total expenditures on goods consumed (but not necessarily on all goods purchased) in period $t$ is $P_tC_t$.

We distinguish between consumption $c_i$ and expenditures $x_i$. Consumption of storable goods can deviate from expenditures on storables due to accumulation or decumulation of inventory $s_i$. $\delta_i$ measures storability as the fraction of the inventory of good $i$ that did not perish from the previous period and could be consumed in this period. $p_{i,t}$ is the price of storable good $i$ in period $t$, $r$ is the continuous-compounding net return on the financial asset between period $t - 1$ and $t$ and $y$ is non-financial income. $\theta(s_t)$ denotes inventory costs and benefits in addition to the opportunity costs of capital implicit in $p_{i,t}x_{i,t}$, such as storage costs and reductions in the number of shopping trips. $\theta$ typically depends on the inventory of all goods, $s_t = (s_{1,t}, s_{2,t}, ...)$ For now we assume the function to be twice differentiable and to be convex in each single argument, i.e., $\theta''(s_t) \equiv \frac{\partial^2 \theta(s_t)}{\partial s_{i,t}^2} > 0$ for $s_{i,t} \geq 0$. This condition guarantees that the decision between investing in financial asset $a$ or in inventories $s$ has a solution even if the marginal return on holding inventory temporarily exceeds the return on the financial asset. Hence, this assumption is necessary because $a$ and $s_i$ are both riskless assets.

An important assumption that makes this problem tractable is that the inventory cost

---

9 We provide more details about the model in the appendix, where we also show that durables can be mapped into this storable goods framework.
function is independent of current consumption, $\frac{\partial \theta}{\partial c} = 0$. Hence, the consumption optimization problem and the problem of optimal inventory management are separable.\(^\text{10}\) We also define the cross-term $\theta_{ijt}'' = \frac{\partial^2 \theta(s)}{\partial s_i \partial s_j}$, which captures whether inventories are complements or substitutes in terms of investments, but not necessarily for consumption (which is governed by $\epsilon$). Finally, equation (8) assumes no reselling of storable goods. Hence, these are irreversible investments. For the goods in our scanner data set, which exclude large durables such as furniture or cars this is a reasonable assumption.

Hicksian compensated demand for good $i$ depends on the good’s real price $p_{it}/P_t$, holding utility $C_t$ constant,

$$c_{it} = b_i \left( \frac{p_{it}}{P_t} \right)^{-\epsilon} C_t. \quad (9)$$

The consumption budget share of good $i$ is $B_{it} \equiv \frac{p_{it}c_{it}}{P_tC_t} = \frac{\partial \ln P_t}{\partial \ln p_{it}} = b_i \left( \frac{p_{it}}{P_t} \right)^{1-\epsilon}$. Rewriting the intertemporal budget constraint (7) as $a_t = e^r a_{t-1} + y - \sum_i p_{it}(s_{it} - \delta s_{i,t-1}) - \theta(s_t) - P_tC_t$, the first-order conditions are

$$C_t = \left( \frac{P_t}{P_{t-1}} \right)^{-\sigma} e^{\sigma(r-\rho)} C_{t-1} \quad (10)$$

$$\theta'_it(s_{it}) = e^{-r} \delta_i p_{i,t+1} - p_{it} \equiv PV_{it}. \quad (11)$$

Equation (11) holds only for inventory goods, i.e., if the optimal target level of inventory is positive, $s_{it} > 0$. In this case (11) equates the marginal benefits of holding inventory with the present value of the cost of the investment. Since $\theta$ is convex in $s_i$, optimal inventories are increasing in next period’s price $p_{i,t+1}$ and the good’s storability $\delta_i$, and decreasing in the current price $p_{it}$ and the opportunity cost of time, $r$.

**Steady state:** To simplify notation we assume $r = \rho$, which implies that the consumption index is constant, $C_t = C$. Using Euler equation (10) and imposing the no-Ponzi condition $\lim_{t \to \infty} e^{-rt} a_t = 0$ we can solve the budget constraint forward,

$$C \times P_0^\sigma \sum_{t=0}^{\infty} e^{-rt} P_t^{1-\sigma} \equiv C \times D = W, \quad (12)$$

\(^{10}\) See Howitt (1977) and Clower and Howitt (1978) for a discussion of some of the issues that arise in the general case. Below we will assume that inventory costs depend on the (new) steady state level of consumption, $\tilde{c}_t$, instead of the current level of consumption, $c_{it}$. Similarly, we will model potential inventory cost complementarity as a result of (additional) synchronization of temporary out-of-steady-state shopping trips, which are the result of an anticipated sales tax increase.
where $W = e^{r}a_{-1} + \sum_{t=0}^{\infty} e^{-rt} \hat{y}_t$ is total wealth, with income net of total inventory costs $\hat{y}_t \equiv y - \left[ \sum_{i} p_{it}(s_{it} - \delta_{i,s_{it-1}}) + \theta_{i}(s_{i}) \right]$. In the steady state, taxes and all prices are constant, such that $p_{it} = p_i$ and $P_t = P$. Denoting steady-state values with a tilde, we obtain $\hat{C} = (1 - e^{-r}) \frac{W}{P}$, which is the perpetuity value of real wealth, and $\hat{c}_i = b_i \left( \frac{p_i}{P} \right)^{-e} \hat{C}$.

### 4.1 Comparative statics

To analyze the consumption response, we focus on two separate composite goods in addition to the main composite good $C_t$, one that consists of goods that are subject to sales taxes, $c_{\tau,t}$ with price $p_{\tau,t} = (1 + \tau)p_{\tau,t}^{pre}$, and the other consists of tax-exempt goods $c_{e,t}$ with price $p_{e,t} = p_{e,t}^{pre}$. $P_{it}^{pre}$ are posted pre-tax prices. The consumption index is now $C_t = \left[ b_{e}c_{e,t} + b_{\tau}c_{\tau,t} \right]^{-\epsilon}.$

Suppose a consumer learns today ($t=0$) about a permanent sales tax increase in period $T \geq 0$ such that

$$d\ln(1 + \tau) \equiv \begin{cases} d\ln(1 + \tau_t) & \text{if } t \geq T, \\ 0 & \text{if } t < T. \end{cases}$$

In general $\frac{\partial \ln p_{is}}{\partial \ln(1 + \tau_t)} = \mathbb{I}_{(i,s)=(\tau,t)} + \frac{\partial \ln p_{is}^{pre}}{\partial \ln(1 + \tau_t)}$, where $\mathbb{I}_{(i,s)=(\tau,t)}$ is one if $i=\tau$ and $s=t$, and 0 otherwise. For now we assume $\frac{\partial \ln p_{is}^{pre}}{\partial \ln(1 + \tau_t)} = 0$. That is, we assume that pre-tax prices do not change in anticipation of the sales tax increase, and that there is full and immediate pass through of sales taxes on tax-inclusive prices, but no effect on prices of tax-exempt goods. In the empirical analysis we estimate the dynamic response of pre-tax retail prices to assess these assumptions.

**Consumption response to a sales tax change:** Taking logs of the steady-state consumption index level (12) and differentiating with respect to (future) sales taxes yields

$$\frac{d\ln C_0}{d\ln(1 + \tau)} = e^{-rT} \left( \sigma B_{\tau} \mathbb{I}_{T>0} - (B_{\tau} - \varepsilon_{\hat{y},\tau}) \right).$$

The negative income effect is given by $-B_{\tau}$ while $\varepsilon_{\hat{y},\tau} = \frac{\partial \ln \hat{y}}{\partial \ln(1 + \tau)}$ captures wealth effects of a sales tax change on net-of-inventory income $\hat{y}$. These wealth effects also include any offsetting taxes or government transfers. Below we estimate the correlation of sales tax changes with other local taxes to calibrate $\varepsilon_{\hat{y},\tau}$. The full size of the wealth effect depends on what the consumer expects the government to do with the additional sales tax revenue,
which is outside of our model.\textsuperscript{11} The indicator function $\mathbb{1}_{T>0}$ accounts for the fact that there is no substitution effect $\sigma B_{\tau}$ if a tax increase is unanticipated. In this case the consumption index falls by the combined income and wealth effect. On the other hand, if sales taxes are expected to change only in the distant future ($T \to \infty$), then there is no effect on current consumption.

For an anticipated tax increase ($T > 0$), we use Euler equation (10) to compute the (compensated) decrease in the consumption index when taxes increase at time $t$ relative to the consumption level right after the announcement, $C_0$,

$$\frac{d \ln \frac{C_t}{C_0}}{d \ln (1 + \tau)} = -\sigma B_{\tau} \mathbb{1}_{t \geq T>0}.$$ (15)

At the time taxes actually change (either anticipated or unanticipated), consumers also substitute away from taxable to tax-exempt goods according to Hicksian demand (9). Hence, the comparative statics of the effect of a permanent sales tax increase in period $T$ on consumption in period $t \geq 0$ relative to the initial steady state $c_{i,-1} = \tilde{c}_i$ can be summarized as

$$\frac{d \ln c_{it}}{d \ln (1 + \tau)} = \begin{cases} 
-\left[ (B_{\tau} - \varepsilon_{\tilde{y},\tau}) - \sigma B_{\tau} \right] e^{-rT} & \text{if } t < T > 0, \\
-\left[ (B_{\tau} - \varepsilon_{\tilde{y},\tau}) - \sigma B_{\tau} \right] e^{-rT} - \sigma B_{\tau} - \varepsilon \left( \mathbb{1}_{i=\tau} - B_{\tau} \right) & \text{if } t \geq T > 0, \\
-(B_{\tau} - \varepsilon_{\tilde{y},\tau}) - \varepsilon \left( \mathbb{1}_{i=\tau} - B_{\tau} \right) & \text{if } t = T = 0, 
\end{cases}$$ (16)

with $i \in \{e, \tau\}$ and $\frac{d \ln c_{it}}{d \ln (1 + \tau)} = 0$ for $t < 0$. The second line—the effect of an anticipated sales tax change on consumption starting in the period of the tax change—summarizes the different effects of the policy. The first two terms in square brackets are the negative income effect ($-e^{-rT} B_{\tau}$), which depends on the consumer’s budget share of taxable goods, and the wealth effect ($e^{-rT} \varepsilon_{\tilde{y},\tau}$). The third term ($e^{-rT} \sigma B_{\tau}$) is the positive intertemporal substitution effect of consumption before period $T$. The consumer’s ability to move consumption forward to periods with lower tax rates mitigates the negative net income effect. Since these effects all take place starting in period $T$, they need to be discounted back. The fourth term ($-\sigma B_{\tau}$) is the reverse of the the third effect, reflecting the negative intertemporal substitution effect on overall consumption after taxes are permanently increased in period $T$. Finally, the fifth and the sixth term are the intratemporal

\textsuperscript{11} $\varepsilon_{\tilde{y},\tau}$ also includes any mechanical effects of changes in inventory costs if the particular inventory cost function $\theta$ depends on stead-state consumption, as it does in our specification. To obtain closed-form solutions, we maintain the separability of the consumption and the inventory choice problem by assuming that the consumer ignores the effect of the consumption choice on inventory costs; see the appendix for more details.
substitution effect of the change in relative prices starting in period \( T \), which is positive for exempt goods, \( \epsilon B_\tau \), and negative for taxable goods, \( -\epsilon(1 - B_\tau) \).

**Inventory response to a sales tax change:** The effect of a sales tax increase on the present value of a dollar invested in the taxable inventory good before total inventory costs, the right-hand side of (11), is

\[
\frac{dPV_{\tau,t}}{d\ln(1 + \tau)} = \begin{cases} 
-p_\tau(1 - \delta e^{-r}) & \text{if } t \geq T \\
p_\tau \delta e^{-r} & \text{if } t = T - 1 \\
0 & \text{if } t < T - 1 
\end{cases}
\]

(17)

for an anticipated sales tax increase \( (T > 0) \), and \( \frac{dPV_{e,t}}{d\ln(1 + \tau)} = p_\tau (e^{-r} \delta - 1) < 0 \) for an unanticipated tax change \( (T = 0) \), while the present value of the exempt inventory is not affected,

\[
\frac{dPV_{e,t}}{d\ln(1 + \tau)} = 0 \quad \forall \ t, T.
\]

(18)

While there are no direct effects of sales tax changes on target inventories of tax-exempt goods as seen in (18), there can be indirect effects through the complementarity in total inventory costs, which are captured by the cross-derivative \( \theta''_{\tau,e} \). For instance, consumers can save on future shopping trips by simultaneously also stocking up on tax-exempt goods so that \( \theta''_{\tau,e} < 0 \).

We use an augmented Allais-Baumol-Tobin model to derive a functional form of inventory cost function \( \theta \), which captures two sources of costs in addition to the holding costs implicit in \( p_{it} x_{it} \).

12 First, economies of scale from a reduction of shopping costs \( \theta_s \) by stocking up on goods that have similar steady-state inventory cycles due to similar storability or consumption demand for example. The costs are linear in the fraction of trips per period, which are approximately equal to \( \tilde{c} x_{it} \). Second, we augment the model to capture the additional cost complementarity \( \theta_c \) due to economies of scope from synchronizing

\footnote{12 An alternative approach would be to assume transaction fixed costs, such as search and shopping trip costs. Unfortunately, optimal investment with fixed plus linear transaction costs and multiple inventory goods becomes a hard combinatorial problem; see Lobo, Fazel and Boyd (2007) for example.}
additional out-of-steady-state shopping trips,\textsuperscript{13}

\[ \theta(s_t) = \theta_s \sum_{i \in \{\tau, e\}} \tilde{c}_i \frac{s_{it} - \theta_c \prod_{i \in \{\tau, e\}} \tilde{c}_i \left( \frac{s_{it} - \tilde{s}_i}{\tilde{s}_i} \right)}{s_{it}}, \quad i \in \{e, \tau\}. \]  \hspace{1cm} (19)

Steady state inventory \( \tilde{s}_i = \sqrt{\frac{\theta_s \tilde{c}_i}{p_i(1 - \delta_{i,e} - r)}} \) has the standard Baumol-Tobin square-root form.

Given this functional form, inventories are positive in steady state. Therefore, we can totally differentiate (11) around the steady state with respect to a sales tax change to get the inventory responses in period \( t \) of taxable and tax-exempt spending to an anticipated sales tax increase at date \( T \),

\[
\frac{d \ln s_{\tau,t}}{d \ln (1 + \tau)} = \begin{cases} \psi (1 - \delta_{\tau}) < 0 & \text{if } t \geq T \text{ or } T = 0, \\ \psi \delta_{\tau} e^{-r} \geq 0 & \text{if } t = T - 1 \geq 0, \\ 0 & \text{otherwise}, \end{cases}
\]

\hspace{1cm} (20)

\[
\frac{d \ln s_{e,t}}{d \ln s_{\tau,t}} = \phi \geq 0,
\]

with inventory multipliers \( \phi = \frac{\theta_c \tilde{c}_e}{2 \theta_s \tilde{s}_e} \) and \( \psi = \left[ 1 - \left( \frac{\theta_c}{2 \theta_s} \right)^2 \right]^{-1} \frac{1}{2} \frac{1}{1 - \delta_{e} e^{-r}} > 0 \).

\textbf{4.2 The dynamic response of observable expenditures}

While neither consumption nor inventories are observable, we do observe expenditures.\textsuperscript{14} Hence, in order to map the model to the data we need to (i) relate the comparative statics (e.g., \( d \ln s_{it} \)) to observed dynamics (e.g., \( \Delta \ln s_{it} \)) and (ii) relate changes in consumption and inventories to changes in observed expenditures. We achieve the latter by log-linearizing the law of motion of inventories (6) around the steady state,

\[
\Delta \ln x_{it} \approx \frac{\tilde{s}_i}{\tilde{x}_i} \left[ \Delta \ln s_{it} - \delta_i \Delta \ln s_{i,t-1} + \frac{\tilde{c}_i}{\tilde{s}_i} \Delta \ln c_{it} \right],
\]

\hspace{1cm} (22)

where \( \Delta \) denotes temporal changes in contrast to comparative static changes \( d \), i.e., \( \Delta x_{it} \equiv x_{it} - x_{i,t-1} \), and \( \frac{\tilde{s}_i}{\tilde{x}_i} = (1 - \delta_i + \frac{\tilde{c}_i}{\tilde{s}_i})^{-1} \).

\textsuperscript{13} The complementarity component uses a first-order approximation of the shopping-trip frequency around the steady state in a standard Baumol-Tobin inventory model. While the results are not affected by taking this approximation, it proves convenient for deriving a closed-form solution of the inventory responses.

\textsuperscript{14} Information on inventory holdings is rare even for firm-level data and much more so at the household level. Similarly, household consumption is typically not observable. For instance, both types of consumer surveys conducted by the Bureau of Labor Statistics (BLS), the Interview and the Diary portion of the Consumer Expenditure Survey, ask about expenditures, not about consumption.
The comparative statics of consumption in (16), (20) and (21) are all comparisons relative to the initial steady state, $c_{i,-1}$ and $s_{i,-1}$ respectively. Hence, temporal changes are differences in these comparative statics, e.g. $\Delta \ln s_{it} = d \ln s_{it} - d \ln s_{i,t-1}$. Therefore,

$$
\frac{\Delta \ln c_{it}}{\Delta \tau} = \begin{cases} 
-(1 - \sigma)B_\tau - \varepsilon \tilde{g}_\tau e^{-rT} & \text{if } t = 0 \text{ and } T > 0, \\
-\varepsilon \mathbb{1}_{i=\tau} - (\sigma - \varepsilon)B_\tau & \text{if } t = T \text{ and } T > 0, \\
-(1 - \varepsilon)B_\tau - \varepsilon \tilde{g}_\tau - \varepsilon \mathbb{1}_{i=\tau} & \text{if } t = T = 0, \\
0 & \text{otherwise},
\end{cases}
$$

for $i \in \{\tau, e\}$ and

$$
\frac{\Delta \ln s_{r,t}}{\Delta \tau} = \begin{cases} 
\psi e^{-r \delta_\tau} \geq 0 & \text{if } t = T - 1 \text{ and } T > 0, \\
\psi < 0 & \text{if } t = T \text{ and } T > 0, \\
-\psi (1 - e^{-r \delta_\tau}) < 0 & \text{if } t = T = 0, \\
0 & \text{otherwise},
\end{cases}
$$

$$
\Delta \ln s_{e,t} = \phi \Delta \ln s_{r,t}.
$$

### 4.3 Simulating the model

To assess the quantitative predictions of the model, we calibrate it using empirical moments from the data as well as consensus estimates from the literature whenever possible. We use value-weighted average monthly purchase frequencies of taxable and tax-exempt expenditures to calibrate the ratios of consumption to inventories, $\tilde{c}_\tau / \tilde{s}_\tau = 1.1$ and $\tilde{c}_e / \tilde{s}_e = 1.6$, consistent with our micro-foundation of the inventory cost function. In the baseline specification we assume that the ratio of “own” to cross shopping trip costs is one, $\theta_c / \theta_s = 1$, since both parameters capture the same opportunity cost of time. We use a budget share of taxable consumption of $B_\tau = 0.4$ based on Taylor (2013). We set the elasticity of intertemporal substitution $\sigma = 0.5$ based on the meta study by Havránek (2015). Anticipating our finding that relative spending on taxable and exempt goods is not much affected by the sales tax changes in the longer run, we choose a moderate intratemporal elasticity of substitution between taxable and tax-exempt goods of $\varepsilon = 0.4$. We use an income elasticity to sales tax changes of $\varepsilon \tilde{g}_\tau = 0.1$ based on our own estimates. We assume that consumers learn about a sales tax increase three months in advance, $T = 3$, based on our analysis of news article coverage around sales tax changes. Finally, we use a monthly interest rate of $r = 0.08\%$ which corresponds to a 1% annual real risk-free rate. The only two parameters for which we do not have guidance from the literature are the
measures of durability, $\delta_i$. Targeting the response of taxable expenditures in the month of a sales tax increase, we find $\delta_{\tau} \approx 0.5$, which we also use to calibrate $\delta_e$.

[Figure 1 about here]

Figure 1 graphs the model’s predicted response of consumption, inventories and expenditures to an anticipated 1% sales tax increase in month $T = 3$, both in log-levels and log-differences.

Discussion of model results TBA here.

The two main competing alternative explanations for the strong response of tax-exempt spending to sales tax changes besides shopping complementarity are (i) a high substitution elasticity $\epsilon$ between taxable and tax-exempt goods and (ii) confusion about which goods are exempt, i.e., non-salience of the exemption status. However, a high intratemporal substitution elasticity is inconsistent with the low long-run effect of relative spending on exempt and taxable goods. We discuss the salience of the exemption status in more detail below.

4.4 Identification of the household spending response

An important insight from the potential complementarity of taxable and tax-exempt expenditures via inventory “spill-overs” is that tax-exempt expenditures are not a valid control group in a household-level difference-in-difference research design. Instead, we exploit the high-frequency of the data around the date at which sales taxes change (i.e., at time $T$) using a before-after design and comparing treated households with households in untreated sales tax jurisdictions.

5 Conclusions

From 2004 to 2014, there were more than a thousand changes in state and local tax rates. This paper evaluates the impact of the tax changes on household retail spending through a wide range of channels. Understanding how households respond differently to post-tax price changes driven by taxes rather than pre-tax price changes has important implications both for tax incidence but also more generally in structural models of household consumption.

Overall, we present evidence that households respond strongly to changes in sales taxes, both before and after the tax changes actually take place. For instance, they bring spending forward to the months leading up to a tax increase and spend significantly
less in the months afterward. This strong intertemporal substitution of spending is very short-lived despite the persistent change in the intertemporal price, suggesting that actual consumption behavior does not change significantly. Consistent with this hypothesis, we find the intertemporal substitution of spending is larger for more storable or durable goods.

Interestingly, we find that tax-exempt spending is affected to much the same degree as spending on taxable goods. We propose a model of inventory and shopping complementarities that can explain this behavior in the context of households bundling their shopping for different goods.

In addition, households are aware of other potential avenues to avoid sales taxes, engaging in geographical arbitrage by increasing trips to locations with a lower sales tax rate after a tax increase in their home ZIP code or increasing the amount of purchases made from online markets.

While households, on average, respond strongly and rationally to changes in sales taxes, we also find that increases in the amount of information presented to households about upcoming changes to sales taxes induce larger responses of household spending. These results imply that the salience of taxes is an important determinant of how households respond to taxes.
References


A Pricing Data

A.1 Nielsen Retail Scanner (Retailer Data)

With the Nielsen Retail Scanner (NRS) data, price and quantity information is available at the store level for each UPC carried by a covered retailer and span the years 2006-2014. Nielsen provides the location of the stores at the three-digit zip code level (eg. 602 instead of 60208), county and Nielsen’s Designated Market Area (DMA). An average (quantity weighted) price is reported, by UPC, for each store every week.\footnote{For a given store, coverage over time is stable and relatively complete across all years. Unit prices are calculated as \textit{price}/(\textit{prmult} \times \textit{size1}_\textit{amt}); see Note E on p.15 of ‘Retail Scanner Dataset Manual 05.25.2015.pdf.’}

In the NRS data, units are consistently standardized and most products are measured in ounces (OZ, 51%), count (CT, 45%) or ml (ML, 2%). NRS covers 125 product groups with more than 3.2 million individual UPCs. Aside from grocery items, the dataset also includes cosmetics, alcohol and general merchandise (homewares, office supplies, some electronics, garden supplies). The types of stores are detailed in Table 2.

A.2 PromoData (Wholesale Prices)

We use PromoData to measure wholesale prices for grocery and retail goods. Promo obtains its information from one (confidential) major wholesaler in each market.\footnote{By only using one wholesaler Promo relies on the Robinson–Patman Anti-Price Discrimination Act of 1936 that prohibits price discrimination. In particular, it prevents wholesalers from offering special discounts to large chain stores but not to other, smaller retailers.} One downside to this approach is that, since no single wholesaler carries every SKU in a given market, information about the universe of goods is not observed. Overall, Promo prices are available for 32 markets after removing redundant markets and combining overlapping markets.\footnote{Leveraging this regional information provides additional variation but introduces more measurement error given less complete coverage in any given market both with respect to corresponding Nielsen product groups in the cross-section and time-series coverage of specific products.}

Data on wholesale prices are available from 2006 - 2012. However, during 2012 the data loses a significant amount of coverage. For this reason, we perform robustness tests excluding 2012 data from our sample. PromoData contains all changes in price or deals that are run by the wholesaler. Thus, we take prices as constant between observations, based on the last observed price data. We then are able to collapse prices to a monthly level for each product group. To arrive at consistent unit prices within type of product (eg. product groups), we scale the observed wholesale prices by the number of goods in a ‘pack’ and by the size of the unit (eg. number of ounces in a candy bar and number of
To make meaningful unit price comparisons we need to know the units associated with each good. Unfortunately unit information is often not provided or is inconsistently coded (e.g. CT, PACK, EACH, OZ, O etc.). We use the modal unit within UPC to impute missing values. The intuition is that if a product is recorded as being measured in OZ most of the time units are reported, it is probably measured in OZ.

### A.3 Matching Wholesaler and Retailer Data

Given the large number of products in the retailer dataset we aggregate retail unit prices to the product group level before matching with wholesale prices. We assign products in the wholesaler data to Nielsen product groups by matching at the UPC level. The mapping is not one-to-one due to differences in end-digits when shifting to UPCs of different levels of granularity (eg. some are reported with retailer specific end-digits, etc.). This leads to multiple Nielsen UPCs corresponding to a single Promo UPC for some goods. However, this appears to have little effect when merging Nielsen product groups to their Promo equivalents.

As a consistency check we also match retail and wholesale prices by UPC at a single point in time. The implied markup distribution supports the accuracy of both the raw data and our unit price calculations, with 90% of markups falling between -7% and 135%. We calculate Promo coverage of Nielsen product groups as the percentage of UPCs in each Nielsen product group that can be found in Promo. Overall, we see that about 4% of overall UPCs in Nielsen are also covered directly in the wholesale data for a given market. Aggregating across markets to the national level, this coverage increases somewhat.

The two datasets are merged based on the weekly date. That is, Promo prices are those associated with the week containing the Nielsen week-ending Saturday. For a Nielsen retailer using a 7-day period ending on Saturday the periods correspond closely. However, as mentioned above this is not the case for all retailers. For a retailer using a Thursday to Wednesday week, the Nielsen prices would pre-date the Promo prices by a few days.

Comparing unit prices is not completely straightforward as Promo units are missing for many products. As discussed above, we impute some missing units based on the modal unit reported in Promo for that UPC. When merging, we retain only UPCs for which the imputed Promo unit matches the Nielsen unit. A coarse attempt is made to standardize the more common Promo units before matching. In particular we assume $O$ and $Z$ refers to $OZ$ and $C, CNT, PK, EA, EACH, STK, ROL, RL, PC, #, CTN$ refer to $CT$. 

Figure 1 – Predicted response in model with baseline calibration

(a) log-levels

(b) log-changes

Notes: This figure shows the model’s predicted response of consumption $c$, inventory $s$, and expenditures $x$ to a 1% increase in the sales tax in period $T = 3$, which is announced in period $t = 0$. The baseline calibration uses $\sigma = 0.5$, $\epsilon = 0.4$, $\delta_{x} = \delta_{c} = 0.5$, $\theta_{c}/\theta_{s} = 1$, $\tilde{\epsilon}_{x}/\tilde{\epsilon}_{c} = 1.1$, $\tilde{\epsilon}_{c}/\tilde{\epsilon}_{s} = 1.6$, $B_{x} = 0.4$, $\epsilon_{q, t} = 0.1$, $r = 0.08\%$. 
Figure 2 – Newspaper Coverage and Sales Tax Changes

Notes: Figures plot news articles that contain the term ‘sales tax’ or ‘sales taxes’ as a fraction of all newspaper articles in a given month across newspapers in that state. Y-axis units are percentage points (e.g. 0.2 = 0.2% of articles contain ‘sales tax’). Selected states shown. News articles taken from Access World News and cover approximately 3,000 US newspapers ranging from large national papers to local papers. Red vertical lines denote the dates of state-wide sales tax changes.
Figure 3 – Exempt and NonExempt Spending Around a State Sales Tax Change

Notes: Figure plots coefficients of a regression of the logged amount of pre-tax household retail spending on leads and lags of changes in state sales tax rates. All coefficients are scaled to an increase in sales taxes of 1%. Dashed lines represent 95% confidence intervals from standard errors clustered at a state level. Regression period spans 2004-2014.
Figure 4 – ZIP Code Level Sales Tax Rates

(a) maximum sales tax rate levels, 2008-14

(b) maximum sales tax rate changes, 2008-14

Notes: Maps plot the maximum level (a) respectively change (b) of total sales tax rates in each five-digit ZIP code for years 2008-14, matching the sample period of the Nielsen Consumer Panel. Sales tax rates are expressed in percentages. Total sales tax rate changes may be driven by changes in state, city, county, or special district sales tax rates. White ZIP codes have missing sales tax rates or are not covered by Nielsen.
Figure 5 – Response of Newspaper Coverage and Google Searches to State Tax Increase

**Notes:** Top panel plots coefficients from a regression of the ratio of news articles that contain the term ‘sales tax’ or ‘sales taxes’ as a fraction of all newspaper articles in a given month across newspapers in that state. Y-axis units are percentage points. News articles taken from Access World News and cover approximately 3,000 US newspapers ranging from large national papers to local papers. Bottom panel plots coefficients from a regression of logged Google search activity from Google Trends. Y-axis units are percentage deviations from baseline. Household and period fixed effects are included. Standard errors clustered by state. Red vertical lines denote ‘time 0’, where a state level sales tax rate change occurs.
<table>
<thead>
<tr>
<th></th>
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<th></th>
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<td>3</td>
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<td>5</td>
<td>8</td>
<td>3</td>
<td>3</td>
<td>0</td>
<td>8</td>
<td>0</td>
<td>1</td>
<td>40</td>
</tr>
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<td>-</td>
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<td>59</td>
<td>65</td>
<td>92</td>
<td>88</td>
<td>115</td>
<td>955</td>
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<td>-</td>
<td>-</td>
<td>-</td>
<td>-</td>
<td>211</td>
<td>318</td>
<td>207</td>
<td>247</td>
<td>1,109</td>
<td>271</td>
<td>255</td>
<td>291</td>
<td>2,949</td>
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<td>Other Local Sales Tax Changes</td>
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<td>-</td>
<td>-</td>
<td>-</td>
<td>-</td>
<td>74</td>
<td>90</td>
<td>42</td>
<td>34</td>
<td>89</td>
<td>215</td>
<td>38</td>
<td>68</td>
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<td>-</td>
<td>-</td>
<td>-</td>
<td>-</td>
<td>549</td>
<td>617</td>
<td>317</td>
<td>340</td>
<td>1,262</td>
<td>586</td>
<td>378</td>
<td>471</td>
<td>4,582</td>
</tr>
</tbody>
</table>

Notes: This table represents all state and local changes in sales tax rates in a given year and are mutually exclusive. A tax change and revision later the same year would be counted separately. In addition, expirations of sales tax changes are counted as a change, as well. ‘Other Local Sales Tax Changes’ include changes in administrative areas such as water districts, school districts, and other areas.
Table 2. Nielsen coverage statistics – 2011

<table>
<thead>
<tr>
<th>Type of store</th>
<th>% of Nielsen stores</th>
<th>% of sales covered for stores of this type</th>
</tr>
</thead>
<tbody>
<tr>
<td>Convenience</td>
<td>6</td>
<td>2</td>
</tr>
<tr>
<td>Drug</td>
<td>35</td>
<td>55</td>
</tr>
<tr>
<td>Food</td>
<td>29</td>
<td>53</td>
</tr>
<tr>
<td>Liquor</td>
<td>1</td>
<td>1</td>
</tr>
<tr>
<td>Mass Merchandise</td>
<td>30</td>
<td>32</td>
</tr>
</tbody>
</table>

Notes: Data taken from Nielsen Homescan data documentation for 2011. Data used spans 2004-2014. Nielsen retailer coverage remained consistent across years though household sample size increased from under 40,000 to over 60,000.
Table 3: Response of Taxable Spending to a Sales Tax Increase

<table>
<thead>
<tr>
<th>Dep. var.: $\Delta \ln(x_{ht})$, monthly taxable retail spending</th>
<th>baseline state tax only</th>
<th>Household characteristics</th>
<th>unemployment drop NBER recession</th>
<th>state sales tax IV</th>
<th>state-period FE</th>
<th>all sales tax changes</th>
</tr>
</thead>
<tbody>
<tr>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
<td>(4)</td>
<td>(5)</td>
<td>(6)</td>
<td>(7)</td>
</tr>
<tr>
<td>$\Delta$ Total sales tax rate</td>
<td>-1.916***</td>
<td>-1.914***</td>
<td>-1.959***</td>
<td>-1.821**</td>
<td>-1.992***</td>
<td>-2.144***</td>
</tr>
<tr>
<td></td>
<td>(0.601)</td>
<td>(0.601)</td>
<td>(0.601)</td>
<td>(0.818)</td>
<td>(0.758)</td>
<td>(0.651)</td>
</tr>
<tr>
<td>$\Delta$ State sales tax rate</td>
<td>-2.051**</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.961)</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\Delta$ Unemployment rate, state</td>
<td>-0.370**</td>
<td>-0.526**</td>
<td>-0.371**</td>
<td>-0.991***</td>
<td>-0.370**</td>
<td>-0.991***</td>
</tr>
<tr>
<td></td>
<td>(0.180)</td>
<td>(0.221)</td>
<td>(0.180)</td>
<td>(0.225)</td>
<td>(0.180)</td>
<td>(0.225)</td>
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<tr>
<td>$\Delta$ Unemployment rate, county</td>
<td>-0.108</td>
<td>-0.179</td>
<td>-0.108</td>
<td>-0.106</td>
<td>-0.116</td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.120)</td>
<td>(0.144)</td>
<td>(0.120)</td>
<td>(0.120)</td>
<td>(0.120)</td>
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<tr>
<td>- Household FE</td>
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<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
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<tr>
<td>- Year FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
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<tr>
<td>- Month FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Household characteristics</td>
<td>--</td>
<td>--</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- State-year FE</td>
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<td>--</td>
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<td>--</td>
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<tr>
<td>- State-month FE</td>
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</tr>
<tr>
<td>Observations</td>
<td>4,137,927</td>
<td>5,928,468</td>
<td>4,137,927</td>
<td>4,137,927</td>
<td>3,285,747</td>
<td>4,137,927</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.013</td>
<td>0.012</td>
<td>0.013</td>
<td>0.013</td>
<td>0.014</td>
<td>0.013</td>
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</tbody>
</table>

Notes: Total sales tax rates combine all sales taxes within a ZIP code, including state, county, city, and special districts. The dependent variable is monthly changes in logged household taxable spending as measured by Nielsen Consumer Panel data. Taxability of household spending is defined at a state level depending on what categories of goods are exempt from sales taxes (e.g., groceries, clothing, medication). For robustness, the dependent variable is winsorized at the 1% level. Other household characteristics include fixed effects for income bins and family size. Regressions span 2004-2014 for state sales tax rate changes (column 2) and 2008-2014 for total sales tax rate changes. Column 5 excludes the Great Recession based on NBER recession dates, which is January 2008 to June 2009. Column 6 uses state sales tax rate changes as an instrument to deal with potential measurement error in local sales tax rate changes. Robust standard errors in parentheses adjust for arbitrary within-household correlations and heteroskedasticity and are clustered at the ZIP code for total sales tax rate changes and at the state level for state sales tax rate changes.
### Table 4: Tax Avoidance Strategies - Jurisdictional Tax Arbitrage and Online Spending

<table>
<thead>
<tr>
<th>Dependent variables:</th>
<th>$\Delta$ fraction spent in alternative ZIP-3 code</th>
<th>$\Delta$ ln(online spending)</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(1)</td>
<td>(2)</td>
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<tr>
<td>$\Delta$ Total sales tax rate</td>
<td>0.015</td>
<td>-0.169***</td>
</tr>
<tr>
<td></td>
<td>(0.077)</td>
<td>(0.057)</td>
</tr>
<tr>
<td>$\Delta$ Total sales tax rate x (avg. frac spent in alt ZIP-3)</td>
<td>2.756***</td>
<td>(1.055)</td>
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<tr>
<td>$\Delta$ State sales tax rate</td>
<td></td>
<td>1.605**</td>
</tr>
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<td></td>
<td></td>
<td>(0.763)</td>
</tr>
<tr>
<td>- Household FE</td>
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</tr>
<tr>
<td>- Year FE</td>
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<td>YES</td>
</tr>
<tr>
<td>- Month FE</td>
<td>YES</td>
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<tr>
<td>Observations</td>
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<td>4,231,049</td>
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<tr>
<td></td>
<td>6,871,487</td>
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<tr>
<td>R-squared</td>
<td>0.000</td>
<td>0.000</td>
</tr>
<tr>
<td></td>
<td>0.004</td>
<td>0.004</td>
</tr>
</tbody>
</table>

**Notes:** Total sales tax rates combine all sales taxes within a ZIP code, including state, county, city, and special districts. The dependent variable in columns 1 and 2 is the change in the monthly fraction of a household's retail spending in an alternative tax jurisdiction outside the household's residential 3-digit ZIP code. The dependent variable in column 3 is the change in the log of total online spending, including mail orders. For robustness, dependent variables are winsorized at the 1% level. Regressions span 2004-2014 for state sales tax rate changes and 2008-2014 for total sales tax rate changes. Columns 1 and 2 use state tax rate changes as an instrument to deal with potential measurement error in local sales tax rate changes. Robust standard errors in parentheses adjust for arbitrary within-household correlations and heteroskedasticity and are clustered at the ZIP code or state level.
Table 7: Spending Response by Product Storability

<table>
<thead>
<tr>
<th>Dep. var.: ( \Delta \ln(x)_{ht} ), monthly retail spending by product group and state</th>
<th>baseline</th>
<th>by inverse shopping freq.</th>
<th>durability indicator only</th>
<th>anticipation and intertemporal substitution</th>
<th>top and bottom product groups by purchase freq.</th>
<th>avg # of purch. per month</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
<td>(4)</td>
<td>(5)</td>
<td>(6)</td>
</tr>
<tr>
<td>( \Delta ) State sales tax rate</td>
<td>-2.271***</td>
<td>-2.070***</td>
<td>-1.925***</td>
<td>-2.271***</td>
<td>-2.068***</td>
<td>-1.922***</td>
</tr>
<tr>
<td></td>
<td>(0.654)</td>
<td>(0.580)</td>
<td>(0.660)</td>
<td>(0.654)</td>
<td>(0.579)</td>
<td>(0.661)</td>
</tr>
<tr>
<td>( \Delta ) State sales tax rate, lead</td>
<td>0.263</td>
<td>0.012</td>
<td>-0.019</td>
<td>0.263</td>
<td>0.012</td>
<td>-0.019</td>
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<tr>
<td></td>
<td>(0.942)</td>
<td>(0.941)</td>
<td>(1.007)</td>
<td>(0.942)</td>
<td>(0.941)</td>
<td>(1.007)</td>
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<tr>
<td>( \Delta ) State sales tax rate x ( \ln(\text{shopping cycle}) )</td>
<td>-1.665*</td>
<td>-1.690*</td>
<td>1.996**</td>
<td>-1.665*</td>
<td>-1.690*</td>
<td>1.996**</td>
</tr>
<tr>
<td></td>
<td>(0.930)</td>
<td>(0.943)</td>
<td>(0.744)</td>
<td>(0.930)</td>
<td>(0.943)</td>
<td>(0.744)</td>
</tr>
<tr>
<td>( \Delta ) State sales tax rate x ( I(\text{durable}) )</td>
<td>-2.153</td>
<td>-2.174</td>
<td>1.746*</td>
<td>-2.153</td>
<td>-2.174</td>
<td>1.746*</td>
</tr>
<tr>
<td></td>
<td>(2.626)</td>
<td>(2.647)</td>
<td>(0.945)</td>
<td>(2.626)</td>
<td>(2.647)</td>
<td>(0.945)</td>
</tr>
<tr>
<td>- Product FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- State FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Year FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Month FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>Sample mean of interaction variable</td>
<td>0.101</td>
<td>0.158</td>
<td>0.101</td>
<td>0.101</td>
<td>0.158</td>
<td>Sample mean</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.078</td>
<td>0.078</td>
<td>0.078</td>
<td>0.078</td>
<td>0.078</td>
<td>Sample standard deviation</td>
</tr>
</tbody>
</table>

Notes: The dependent variable is the monthly log change in total retail spending by product group and state across all households in the Nielsen Consumer Panel, 2004-2014. We drop product groups which on average have less than $500 total sales per state. We also drop "magnet data", leaving 108 unique product groups. All regressions are estimated using least squares weighted by average sales per product group. Robust standard errors in parentheses adjust for arbitrary within-state correlations and heteroskedasticity and are clustered at the state level.
Table 8: Salience and Announcement Effects

<table>
<thead>
<tr>
<th>Dependent variable:</th>
<th>Dependent variable:</th>
<th>newspaper coverage</th>
<th>ballot-induced tax changes</th>
<th>announcement effects</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>∆ ln(total)</td>
<td>∆ ln(taxable)</td>
<td>∆ ln(exempt)</td>
<td>∆ ln(total)</td>
</tr>
<tr>
<td>State sales tax rate</td>
<td>-1.610***</td>
<td>-2.071**</td>
<td>-1.460**</td>
<td>-1.541**</td>
</tr>
<tr>
<td></td>
<td>(0.561)</td>
<td>(0.973)</td>
<td>(0.565)</td>
<td>(0.647)</td>
</tr>
<tr>
<td>State sales tax rate x newspaper coverage</td>
<td>-77.025**</td>
<td>-57.484</td>
<td>-114.317***</td>
<td>-5.226***</td>
</tr>
<tr>
<td></td>
<td>(34.182)</td>
<td>(70.606)</td>
<td>(42.371)</td>
<td>(0.986)</td>
</tr>
<tr>
<td>Newspaper coverage of state sales tax changes</td>
<td>-0.143</td>
<td>-0.372*</td>
<td>0.241</td>
<td>0.027***</td>
</tr>
<tr>
<td></td>
<td>(0.184)</td>
<td>(0.212)</td>
<td>(0.228)</td>
<td>(0.006)</td>
</tr>
<tr>
<td>State sales tax rate change proposed</td>
<td>-0.605*</td>
<td>-2.039</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.351)</td>
<td>(1.604)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>State sales tax rate change proposed x l(ballot prop. failed)</td>
<td>1.687</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(1.642)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>l(ballot prop. failed)</td>
<td>-0.000</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.007)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Household FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>Year FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>Month FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>Observations</td>
<td>5,928,468</td>
<td>5,928,468</td>
<td>5,865,352</td>
<td>5,928,468</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.013</td>
<td>0.012</td>
<td>0.012</td>
<td>0.013</td>
</tr>
</tbody>
</table>

Notes: The dependent variables are monthly changes in logged household spending as measured by Nielsen Consumer Panel data. Taxability and tax-exemption status of household spending is defined at a state level depending on what categories of goods are exempt from sales taxes (e.g., groceries, clothing, medication). Columns 1-3 interact changes in sales tax rates with the level of newspaper coverage (measured as the ratio of articles mentioning sales taxes to the total number of articles in newspapers within the state covered by Access World News). Columns 4-6 interact changes in sales tax rates with an indicator for whether the change in state sales tax rates was driven by a ballot measure (as opposed to being enacted by the legislature). Columns 7 and 8 use, as independent variables, indicators for dates when ballot initiatives that would change state sales tax rates were voted on (as opposed to the dates they were enacted). Column 8 interacts these indicators with another indicator that signifies the ballot not being successfully passed (and thus resulting in no change in sales tax rates). For robustness, the dependent variables are winsorized at the 1% level. Regressions span years 2004-2014. Robust standard errors in parentheses adjust for arbitrary within-household correlations and heteroskedasticity and are clustered at the state level.
Table 5: Response of Tax-Exempt Spending to a Sales Tax Increase

<table>
<thead>
<tr>
<th>Dep. var.: $\Delta \ln(x_{ht})$, monthly tax-exempt retail spending</th>
<th>baseline</th>
<th>state tax only</th>
<th>Household characteristics</th>
<th>unemployment</th>
<th>drop NBER recession</th>
<th>state sales tax IV</th>
<th>state-period FE</th>
<th>all sales tax changes</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
<td>(4)</td>
<td>(5)</td>
<td>(6)</td>
<td>(7)</td>
<td>(8)</td>
</tr>
<tr>
<td>$\Delta$ Total sales tax rate</td>
<td>-1.280***</td>
<td>-1.279***</td>
<td>-1.221**</td>
<td>-1.769***</td>
<td>-1.612***</td>
<td>-1.100**</td>
<td>-1.038***</td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.476)</td>
<td>(0.476)</td>
<td>(0.476)</td>
<td>(0.649)</td>
<td>(0.595)</td>
<td>(0.518)</td>
<td>(0.396)</td>
<td></td>
</tr>
<tr>
<td>$\Delta$ State sales tax rate</td>
<td>-1.504**</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.614)</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>$\Delta$ Unemployment rate, state</td>
<td></td>
<td></td>
<td></td>
<td></td>
<td>0.742***</td>
<td>0.848***</td>
<td>0.740***</td>
<td>0.852***</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
<td>(0.145)</td>
<td>(0.179)</td>
<td>(0.145)</td>
<td>(0.182)</td>
</tr>
<tr>
<td>$\Delta$ Unemployment rate, county</td>
<td>-0.105</td>
<td>-0.095</td>
<td>-0.105</td>
<td>-0.141</td>
<td>-0.105</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>(0.099)</td>
<td>(0.120)</td>
<td>(0.099)</td>
<td>(0.098)</td>
<td>(0.099)</td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>- Household FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Year FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Month FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Household characteristics</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
</tr>
<tr>
<td>- State-year FE</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
</tr>
<tr>
<td>- State-month FE</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
</tr>
<tr>
<td>Observations</td>
<td>4,095,538</td>
<td>5,865,352</td>
<td>4,095,538</td>
<td>4,095,538</td>
<td>4,095,538</td>
<td>3,250,600</td>
<td>4,095,538</td>
<td>4,095,538</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.014</td>
<td>0.012</td>
<td>0.014</td>
<td>0.014</td>
<td>0.014</td>
<td>0.015</td>
<td>0.014</td>
<td>0.014</td>
</tr>
</tbody>
</table>

Notes: Total sales tax rates combine all sales taxes within a zip-code, including state, county, city, and special districts. Dependent variable is monthly changes in logged household tax-exempt spending as measured by Nielsen Consumer Panel data. Tax-exemption status of household spending is defined at a state level. For robustness, the dependent variable is winsorized at the 1% level. Other household characteristics include fixed effects for income and family size. Regressions span 2004-2014 for state sales tax rate changes (column 2) and 2008-2014 for total sales tax rate changes. Column 5 excludes the Great Recession based on NBER recession dates, which is January 2008 to June 2009. Column 6 uses state sales tax rate changes as an instrument to deal with potential measurement error in local sales tax rate changes. Robust standard errors in parentheses adjust for arbitrary within-household correlations and heteroskedasticity and are clustered at the ZIP code for total sales tax rate changes and at the state level for state sales tax rate changes.
Table 6: Evidence of Shopping Complementarities

<table>
<thead>
<tr>
<th>Dependent variable:</th>
<th>response of shopping trips</th>
<th>revealed cost approach: heterogeneity in shopping frequency</th>
<th></th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>∆ln(# of trips)</td>
<td>∆ln(# of store visits per day)</td>
<td>frequent shoppers (low cost)</td>
</tr>
<tr>
<td></td>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
</tr>
<tr>
<td>∆ Total sales tax rate</td>
<td>-1.805***</td>
<td>-0.766**</td>
<td>-0.001</td>
</tr>
<tr>
<td></td>
<td>(0.435)</td>
<td>(0.305)</td>
<td>(0.703)</td>
</tr>
<tr>
<td>∆ State sales tax rate</td>
<td></td>
<td></td>
<td>YES</td>
</tr>
<tr>
<td>- Household FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Year FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Month FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>Observations</td>
<td>4,231,067</td>
<td>4,231,067</td>
<td>1,086,935</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.017</td>
<td>0.019</td>
<td>0.016</td>
</tr>
</tbody>
</table>

Notes: Total sales tax rates combine all sales taxes within a ZIP code, including state, county, city, and special districts. The dependent variable is the monthly log-change in the number of shopping trips (column 1) resp. stores visited per day (column 2). Frequent shoppers in columns 3 and 4 are consumers with average monthly trips above the 75th percentile (19 trips), while infrequent shoppers in columns 5 and 6 have average monthly trips below the 25th percentile (9 trips). For robustness, the dependent variables are winsorized at the 1% level. Regressions span 2008-2014 for total sales tax rate changes and 2004-2014 for state sales tax rate changes. Robust standard errors in parentheses adjust for arbitrary within-household correlations and heteroskedasticity and are clustered at the ZIP code or state level.
Table 9: Robustness - Quantity and Price Response to a Sales Tax Increase

<table>
<thead>
<tr>
<th>dependent variable:</th>
<th>∆ ln(taxable)</th>
<th>∆ ln(exempt)</th>
<th>∆ ln(taxable)</th>
<th>∆ ln(exempt)</th>
<th>∆ ln(retail price)</th>
<th>∆ ln(wholesale price)</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>(1)</td>
<td>(2)</td>
<td>(3)</td>
<td>(4)</td>
<td>(5)</td>
<td>(6)</td>
</tr>
<tr>
<td>∆ Total sales tax rate</td>
<td>-2.330***</td>
<td>-1.458***</td>
<td>-2.245**</td>
<td>-1.744***</td>
<td>-0.215***</td>
<td>-0.008*</td>
</tr>
<tr>
<td></td>
<td>(0.479)</td>
<td>(0.458)</td>
<td>(0.908)</td>
<td>(0.566)</td>
<td>(0.036)</td>
<td>(0.004)</td>
</tr>
<tr>
<td>∆ State sales tax rate</td>
<td></td>
<td>-1.458***</td>
<td>-1.744***</td>
<td>-0.008*</td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>(0.458)</td>
<td>(0.566)</td>
<td>(0.004)</td>
<td></td>
<td></td>
</tr>
<tr>
<td>- Household FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Year FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Month FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- Product FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>- ZIP-3 FE</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
<td>YES</td>
</tr>
<tr>
<td>Observations</td>
<td>4,140,969</td>
<td>4,142,698</td>
<td>5,928,529</td>
<td>5,928,499</td>
<td>4,333,000</td>
<td>4,333,000</td>
</tr>
<tr>
<td>R-squared</td>
<td>0.014</td>
<td>0.014</td>
<td>0.013</td>
<td>0.013</td>
<td>0.011</td>
<td>0.010</td>
</tr>
</tbody>
</table>

Notes: Total sales tax rates combine all sales taxes within a ZIP code, including state, county, city, and special districts. Dependent variables in columns 1 to 4 are monthly changes in logged quantities (items) purchased by each household in the Nielsen Consumer Panel. Dependent variables in column 5 to 8 are monthly changes in sales-weighted average prices by product group and ZIP-3 code for all retailers in the Nielsen Retail Scanner Panel. For robustness, the dependent variables are winsorized at the 1% level. Regressions span 2004-2014 for state sales tax rate changes using the Nielsen Consumer Panel (columns 3 and 4) respectively 2006-2014 using the Nielsen Retail Scanner Panel (columns 6 and 8), and 2008-2014 for total sales tax rate changes (columns 1, 2, 5, and 7). Robust standard errors in parentheses adjust for arbitrary within-product correlations and heteroskedasticity and are clustered at the ZIP-3 code for total sales tax rate changes and at the state level for state sales tax rate changes.
Online Appendix of
“Shopping for Lower Sales Tax Rates”

Scott R. Baker    Lorenz Kueng

A. Details about the Model

A.1 Augmented Baumol-Tobin model with trip complementarity

Here we develop a possible micro-foundation of the transaction cost function $\theta$ with inventory complementarity. We augment a classic Allais-Baumol-Tobin model that trades off reductions in shopping trips against holding costs of capital tied up in inventories at below market interest rate in steady state. We assume that this model is solved in steady state, i.e., consumers take their optimal consumption levels $\tilde{c}_i$ as given, and that individuals consume each good at constant rate within each period, which is consistent with the intertemporal Euler equation when $\rho = r$. Costs from shopping trips are linear in the number of trips per period, $\theta_s \times f(s)$, where $\theta_s$ are the opportunity cost in dollars of a single trip and $f$ is the frequency of trips which depends inversely on the level of inventory, $f' < 0$, and which we assume to be convex, $f'' > 0$. Abstracting from integer constraints, we assume that a consumer pays this cost in each period in proportion to the shopping frequency. We can calculate the inventory cycle time $T$ in the (continuous-time) Baumol-Tobin model with inventory depreciating at rate $\lambda_i \equiv 1 - \delta_i$ and constant demand $c_i$ by solving the ordinary differential equation $ds_i(t) = \left[-\lambda_i s_i(t) - \tilde{c}_i\right]dt$, with boundary conditions $s_i(0) = s_i$ and $s_i(T) = 0$. The frequency of purchases per period, the inverse of the cycle time, is

$$f_i(s_i|\tilde{c}_i, \lambda_i) = \frac{\lambda_i}{\ln \left(1 + \lambda_i \frac{s_i}{\tilde{c}_i} \right)} \xrightarrow{\lambda_i \rightarrow 0} \frac{\tilde{c}_i}{s_i}.$$ 

The frequency has the properties $\frac{\partial f_i}{\partial s_i} < 0$, $\frac{\partial^2 f_i}{\partial s_i^2} > 0$, $\frac{\partial f_i}{\partial \tilde{c}_i} > 0$, and $\frac{\partial^2 f_i}{\partial \tilde{c}_i^2} \xrightarrow{\lambda_i \rightarrow 0} 0$.

We augment these costs to take into account that the consumer can save on shopping trips when temporarily deviating from steady state inventory of one good by also deviating in the same direction for the other good. For instance, when bringing spending forward to periods before a tax or price increase, the consumer can also save on future trips

---

18 This seems sensible and it maintains the separability of the intertemporal and intratemporal allocation problems.
for tax-exempt goods by stocking up on those goods in the same period. Hence, for calibration, these costs are of the same order of magnitude as the opportunity cost of trips. We assume that the saving on trips costs for tax-exempt goods is proportional to the additional cost. For instance, if the consumer’s shopping cost increases by \( k\% \) due to temporarily increasing the inventory of taxable goods by \( 1\% \) above steady state, we assume that she gets an offsetting credit of \( k\% \) when also stocking up the inventory of exempt goods by \( 1\% \). Hence, this assumption avoids the double counting of shopping transactions costs when synchronizing additional out-of-steady-state purchases of exempt and taxable goods. For tractability we take a first-order approximation of the shopping-trip frequency with \( \delta = 1 \) around the steady state,

\[
\frac{\tilde{c}_i}{s_{it}} - \frac{\tilde{c}_i}{s_i} \approx \frac{\tilde{c}_i}{s_i} \left( \frac{s_{it} - \tilde{s}_i}{\tilde{s}_i} \right).
\]

Putting these two sources of inventory costs (or rather benefits) together results in the inventory cost function (19).

**A.2 Announcement effect on consumption**

The term \( D \) in equation (12) to announcement of a permanent sales tax change in period \( T \) responds as

\[
\frac{d \ln D}{d \ln(1 + \tau)} = \frac{1}{D} \left\{ \sum_{t=0}^{\infty} e^{-rt} \frac{\partial P_t^{1-\sigma}}{\partial \ln(1 + \tau)} + \sum_{t=0}^{\infty} e^{-rt} P_t^\sigma \right\}
\]

\[
= \frac{1}{D} \left\{ (1 - \sigma) B_T P_0^\sigma \sum_{t=T}^{\infty} e^{-rt} P_t^{1-\sigma} + \mathbb{1}_{T=0} \sigma B_T P_0^\sigma D \right\}
\]

\[
= \frac{1}{D} \left\{ (1 - \sigma) B_T e^{-rT} \left( \frac{P_0}{P_T} \right)^\sigma \sum_{t=T}^{\infty} e^{-r(t-T)} P_t^{1-\sigma} + \mathbb{1}_{T=0} \sigma B_T P_0^\sigma D \right\}
\]

\[
= -e^{-rT} B_r (1 - \sigma) - \sigma B_r \mathbb{1}_{T=0}.
\]

Define the elasticity of income net of inventory costs as

\[
\varepsilon_{\tilde{g}, \tau} \equiv \frac{d \ln \tilde{g}_t}{d \ln(1 + \tau)} = \frac{y}{\tilde{g}_t} \frac{d \ln y}{d \ln(1 + \tau)} + \frac{1}{\tilde{g}_t} \sum_i \left[ \left( \theta_h p_i \tilde{s}_i - \theta_s \frac{\tilde{c}_i}{\tilde{s}_i} + p_i \tilde{s}_i (1 - \delta_i) \right) \frac{d \ln \tilde{s}_i}{d \ln(1 + \tau)} + \left( 1 - \delta_i \right) p_i \tilde{s}_i \frac{d \ln p_i}{d \ln(1 + \tau)} + \theta_s \frac{\tilde{c}_i}{\tilde{s}_i} \frac{d \ln \tilde{c}_i}{d \ln(1 + \tau)} \right] \mathbb{1}_{t \geq T}.
\]
where \( \frac{d \ln \tilde{z}_i}{d \ln (1+\tau)} \) denotes the change in \( z_i \) from the old to the new steady state. This expression is constant since we are evaluating it at the steady state, i.e., it reflects the relative change in net income from the old to the new steady state. Using this definition, we can express the response of wealth to a sales tax change as

\[
\frac{d \ln W}{d \ln (1+\tau)} = \frac{1}{W} \sum_{t=0}^{\infty} e^{-rt} \hat{y}_t \frac{d \ln \hat{y}}{d \ln (1+\tau)} \approx e^{-rT} \varepsilon_{\hat{y},\tau}.
\]

The approximation is due to the fact that the definition of the elasticity ignores two effects that already happen before the taxes change at date \( T \), which are given by

\[
\frac{1}{W} \left\{ \sum_i \left[ p_i s_i \left( \delta_i \frac{d \ln s_i}{d \ln (1+\tau)} + (1-\delta_i) \frac{d \ln s_{i,T-1}}{d \ln (1+\tau)} \right) \right] + \sum_{t=0}^{T-1} e^{-rt} \sum_i \theta_s \hat{c}_i \frac{d \ln c_{it}}{d \ln (1+\tau)} \right\} \approx 0.
\]

Both of these effects are approximately zero as a fraction of total wealth \( W \). The first takes into account that inventories first increase in period \( T-1 \) before permanently decreasing to the new steady state level when taxes change in period \( T \). The second accounts for the fact that consumption already changes between period 0 and \( T-1 \), and the level in periods 0 to \( T-1 \) is different from both initial and final steady state due to intertemporal substitution. This change in consumption—which we assume the consumer ignores for tractability—in turn affects the marginal shopping cost through a change in the shopping trip frequency, \( \frac{\hat{c}_i}{s_{it}} \). Instead of the actual shopping frequency, the consumer compares inventories relative to the (new) steady state consumption \( \tilde{c}_i \), i.e., \( \theta_h p_{it} s_{it} + \theta_s \tilde{c}_i \), while the “true” cost uses the actual frequency and is thus \( \theta_h p_{it} s_{it} + \theta_s \hat{c}_i + \theta_s \frac{c_{it} - \tilde{c}_i}{s_{it}} \). Hence, the third term captures the effect of the change in consumption on the inventory cost function in the transition from period 0 to \( T-1 \),

\[
\frac{d \ln W}{d \ln (1+\tau)} - \frac{d \ln D}{d \ln (1+\tau)} = \theta_h \frac{c_{it} - \tilde{c}_i}{s_{it}} \frac{d \ln c_{it}}{d \ln (1+\tau)}.
\]

Combining \( \frac{d \ln W}{d \ln (1+\tau)} - \frac{d \ln D}{d \ln (1+\tau)} \) yields Slutsky equation (14).

\(^{19}\) Since these additional wealth effects are all capitalized already at period 0, they do not affect the response in the period before and after an anticipated sales tax change. Instead, they affect the interpretation and calibration of the wealth effect on \( C_0 \). Hence, adding both terms instead of ignoring them leaves our results unchanged but would complicate the formula in (14).
A.3 Log-linearizing expenditure changes

\[ \Delta \ln x_{it} \approx \frac{\Delta x_{it}}{x_{i,t-1}} = \frac{s_{i,t-1}}{s_{i,t-1}} \left[ \frac{\Delta s_{it}}{s_{i,t-1}} - \frac{\Delta s_{i,t-1}}{s_{i,t-2}} + \frac{c_{i,t-1}}{s_{i,t-1}} \Delta c_{it} \right] \]

\[ = \frac{s_{i,t-1}}{x_{i,t-1}} \left[ \Delta \ln s_{it} - \frac{\Delta s_{i,t-1}}{s_{i,t-2}} \Delta \ln s_{i,t-1} + \frac{c_{i,t-1}}{s_{i,t-1}} \Delta \ln c_{it} \right] \]

\[ \approx \frac{s\tilde{i}}{\tilde{x}} \left[ \Delta \ln s_{it} - \delta_i \Delta \ln s_{i,t-1} + \frac{\tilde{c}_i}{s_i} \Delta \ln c_{it} \right], \]

which is equation (22). In steady state with \( s_{it} = \tilde{s}_i \) and \( c_{it} = \tilde{c}_i \), equation (6) implies that \( \tilde{x}_i = (1 - \delta_i)\tilde{s}_i + \tilde{c}_i \), hence the steady-state inventory-to-expenditure ratio is \( \frac{s\tilde{i}}{\tilde{x}} = [1 - \delta_i + \delta_i \tilde{s}_i]^{-1} \).

A.4 Allowing for durable goods in the storable goods framework

Durables depreciate for two main reasons: either because of utilization (e.g., driving more miles with a car per period) or because of the passing of time (e.g., corrosion or obsolescence). Denote \( \zeta \) the rate of depreciation due to the passing of time and \( \gamma_{d,t} \) the depreciation due to utilization of the stock of durables in period \( t \). Hence, of the initial stock of durables \( d_{t-1} \) available in at the beginning of period \( t \), only \( 1 - \zeta - \gamma_{d,t} \) is available in the next period. \( x_{d,t} \) are expenditures on durables (maintenance or new acquisitions). Defining the consumption of durables in period \( t \) as \( c_{d,t} = \gamma_{d,t}d_{t-1} \) and \( \delta_d = 1 - \zeta \), we obtain the same law of motion for the stock of durables as for storable,

\[ d_t = (1 - \zeta - \gamma_{d,t})d_{t-1} + x_{d,t} \]

\[ = \delta_d d_{t-1} - c_{d,t} + x_{d,t} . \]